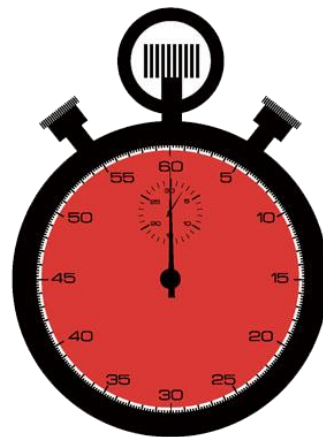
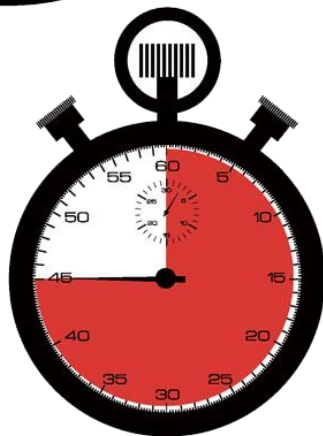
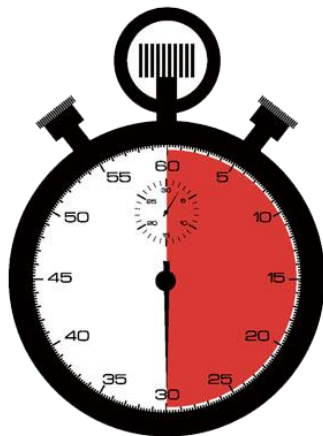
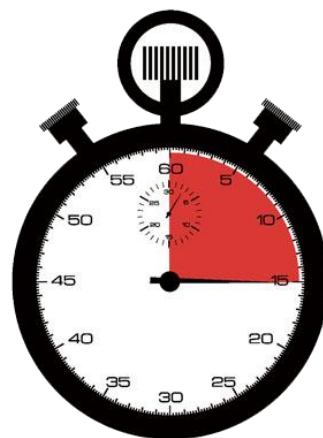
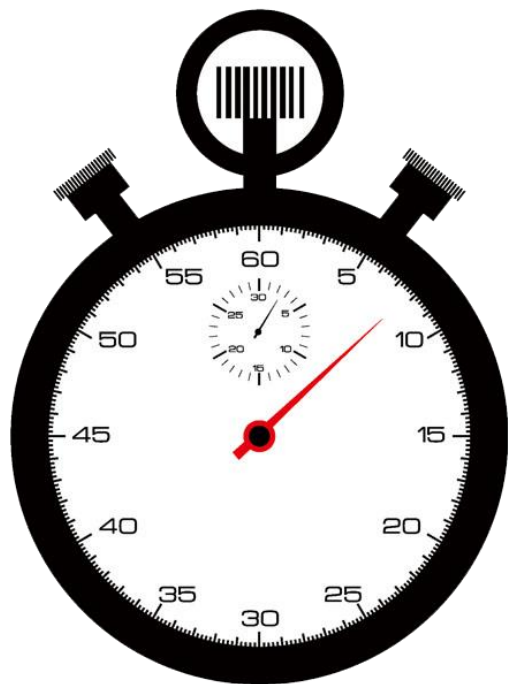


Time, Time Difference and Time Interval



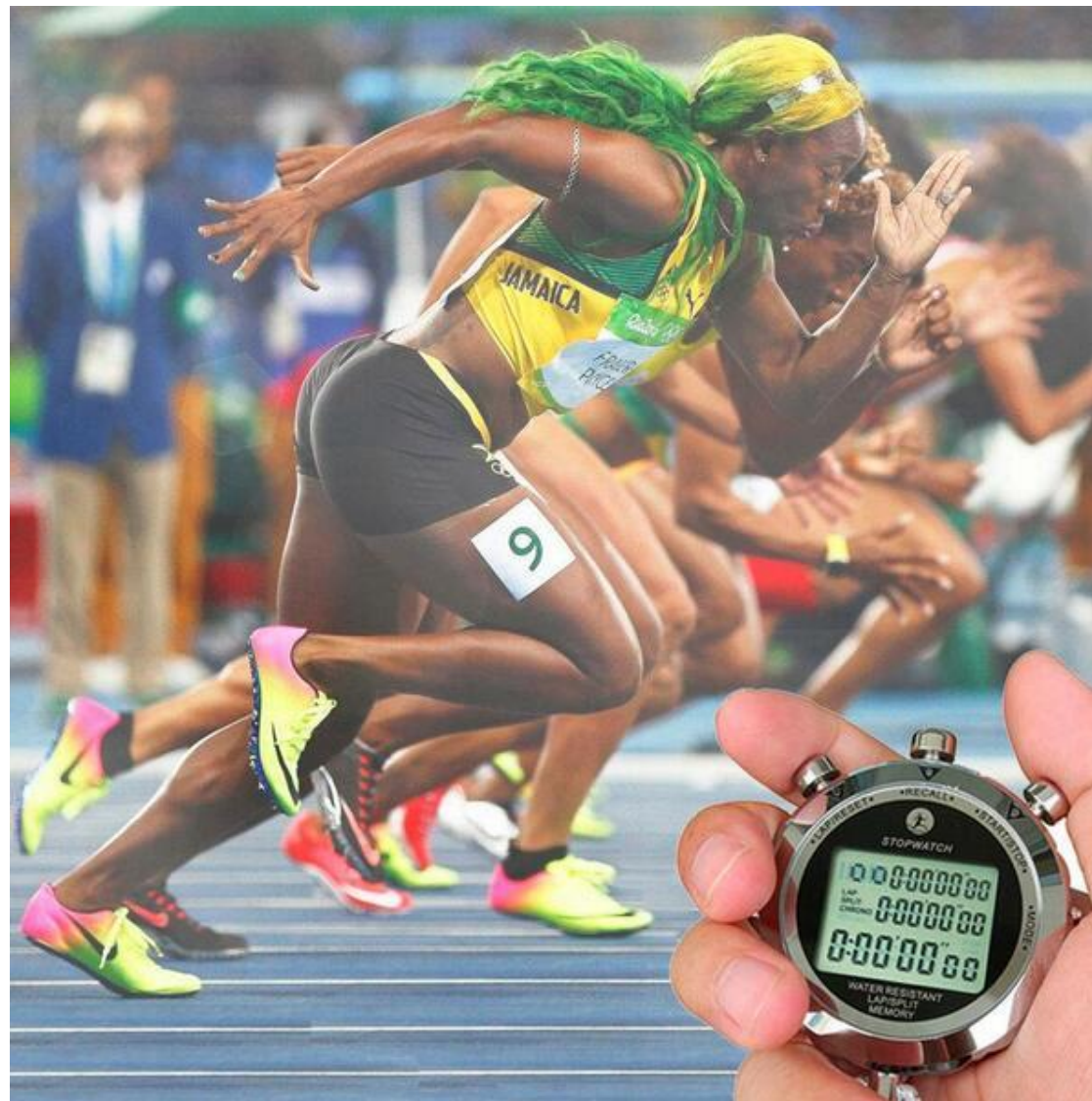
Time Interval Measurements



A time interval measurement is a measurement of the elapsed time between some designated START phenomena and a later STOP phenomena.



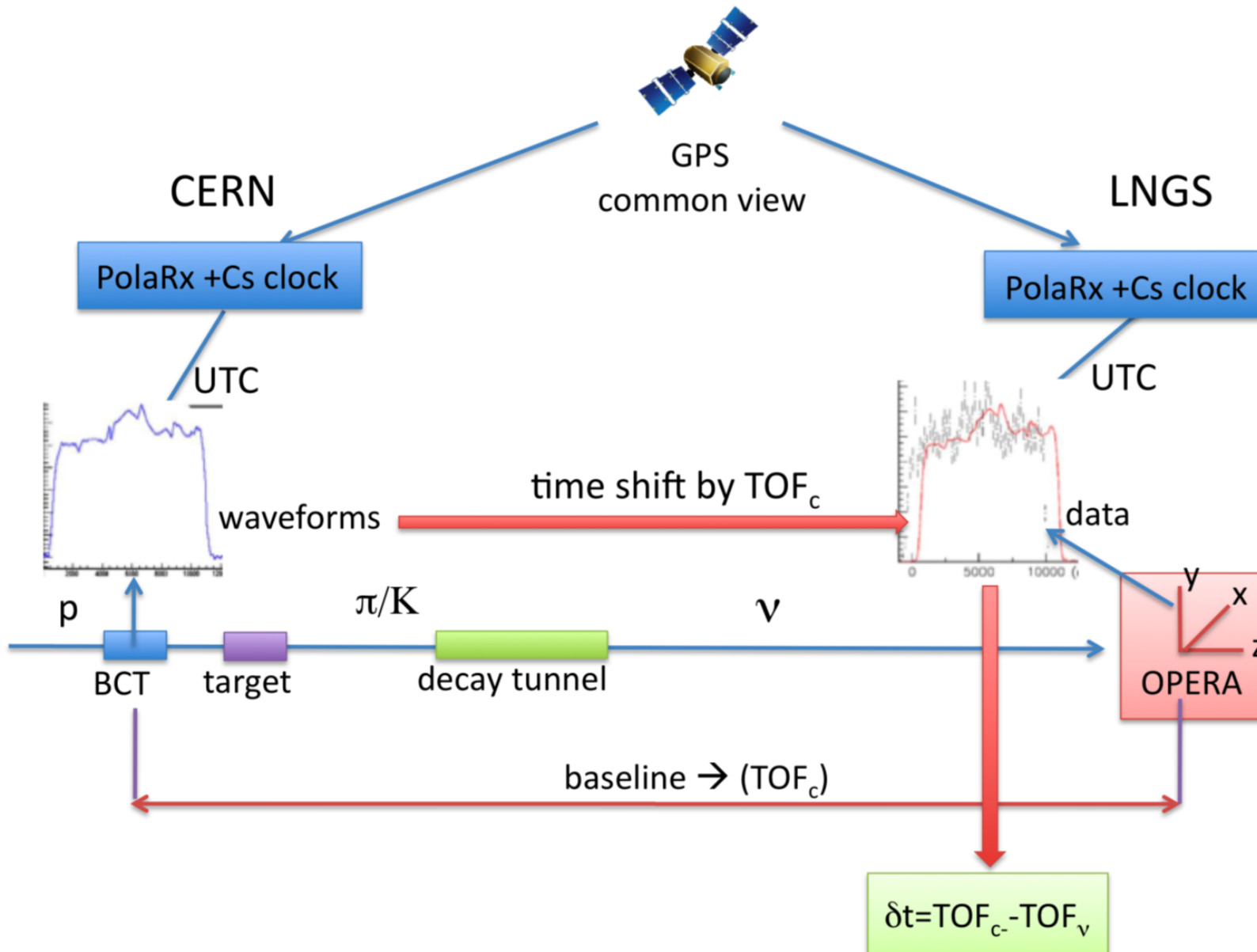
Time Interval Measurements



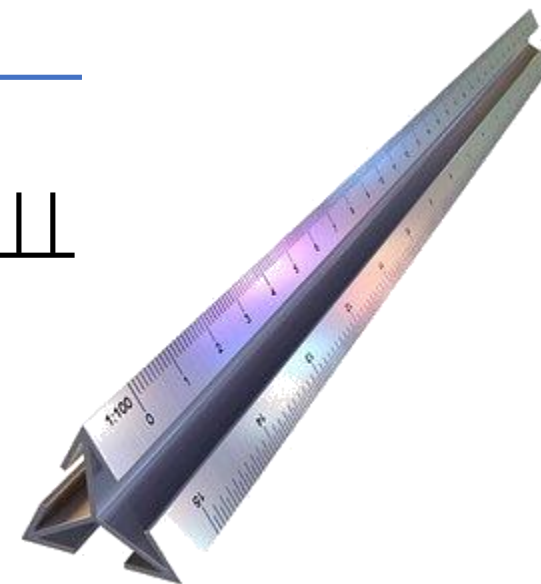
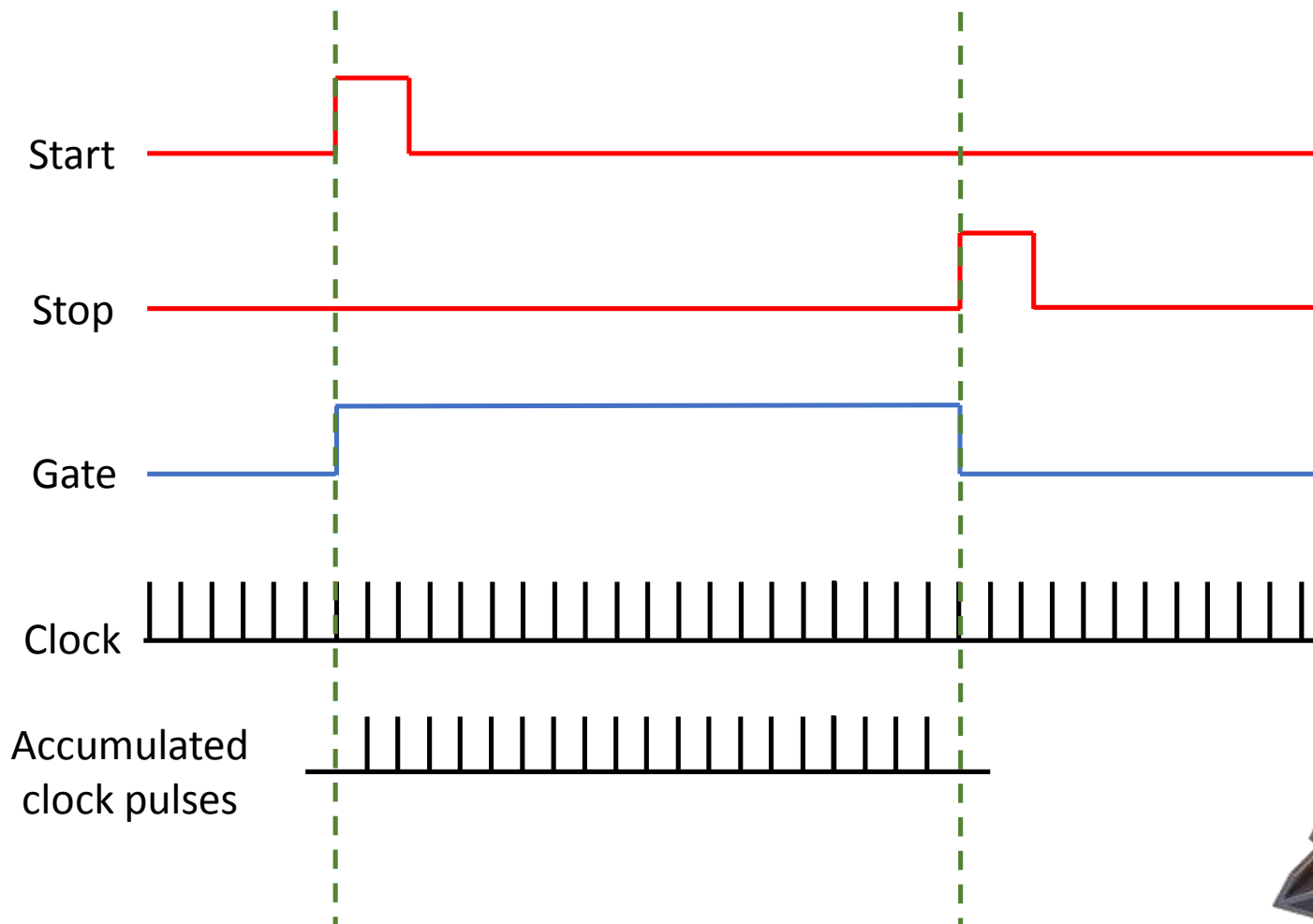
Time Interval Measurements

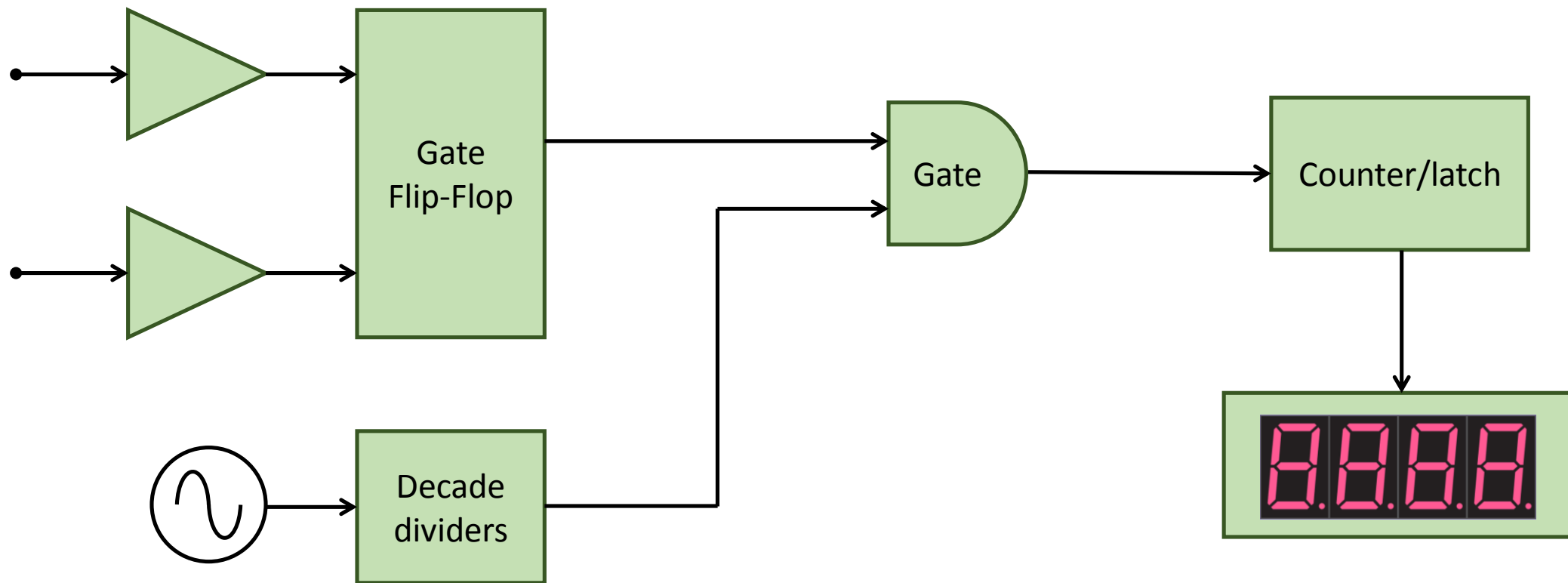


Time Interval Measurements

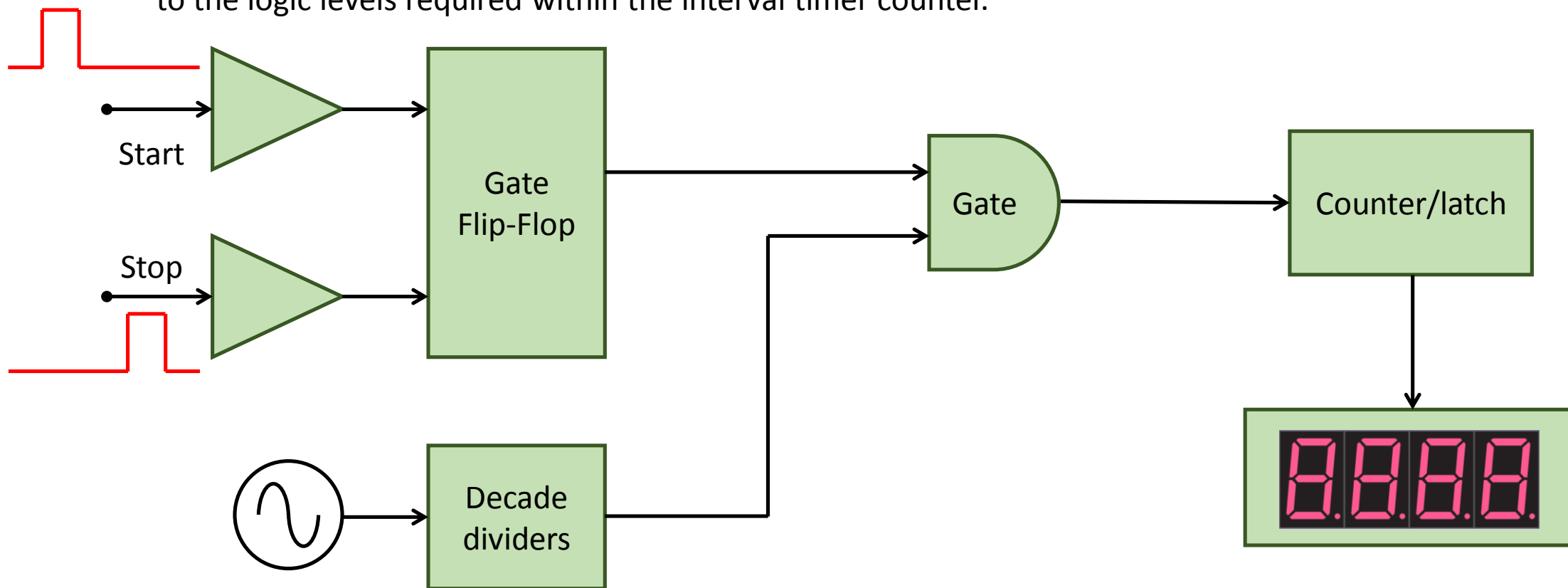


Electronic Counter

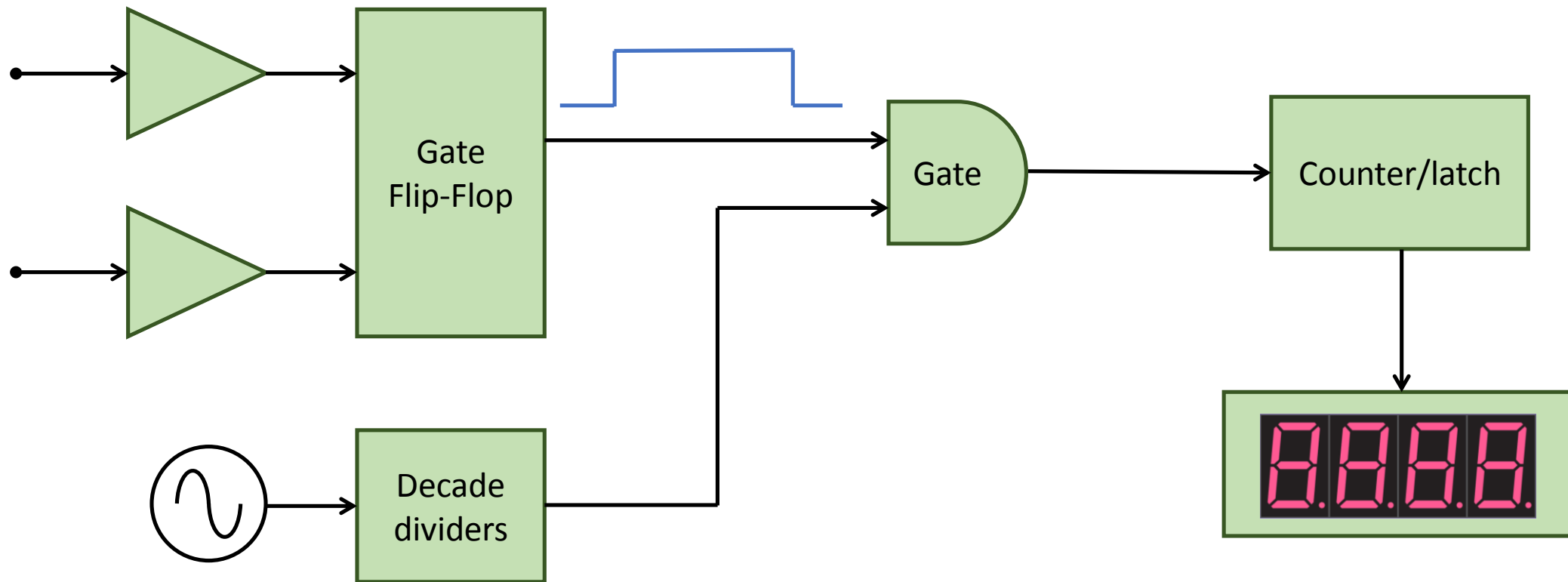




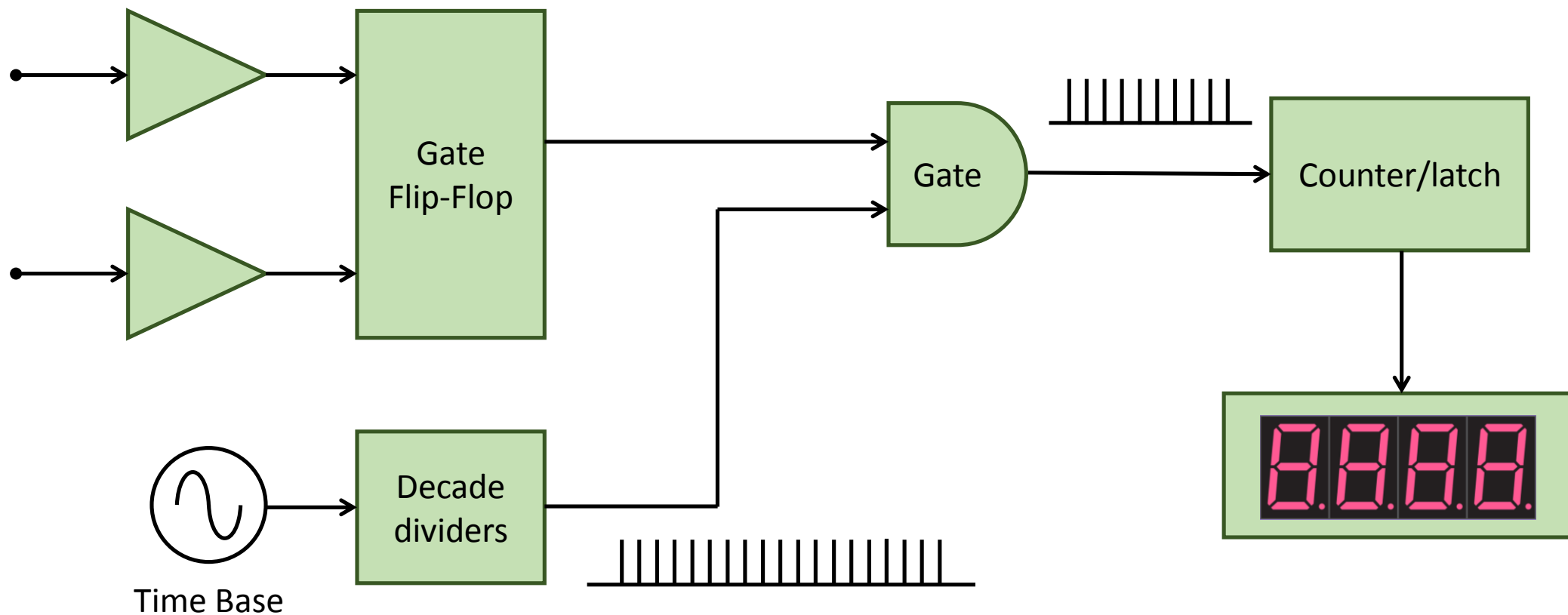
Signal input stages: The input stages condition the input signals and convert them to the logic levels required within the interval timer counter.



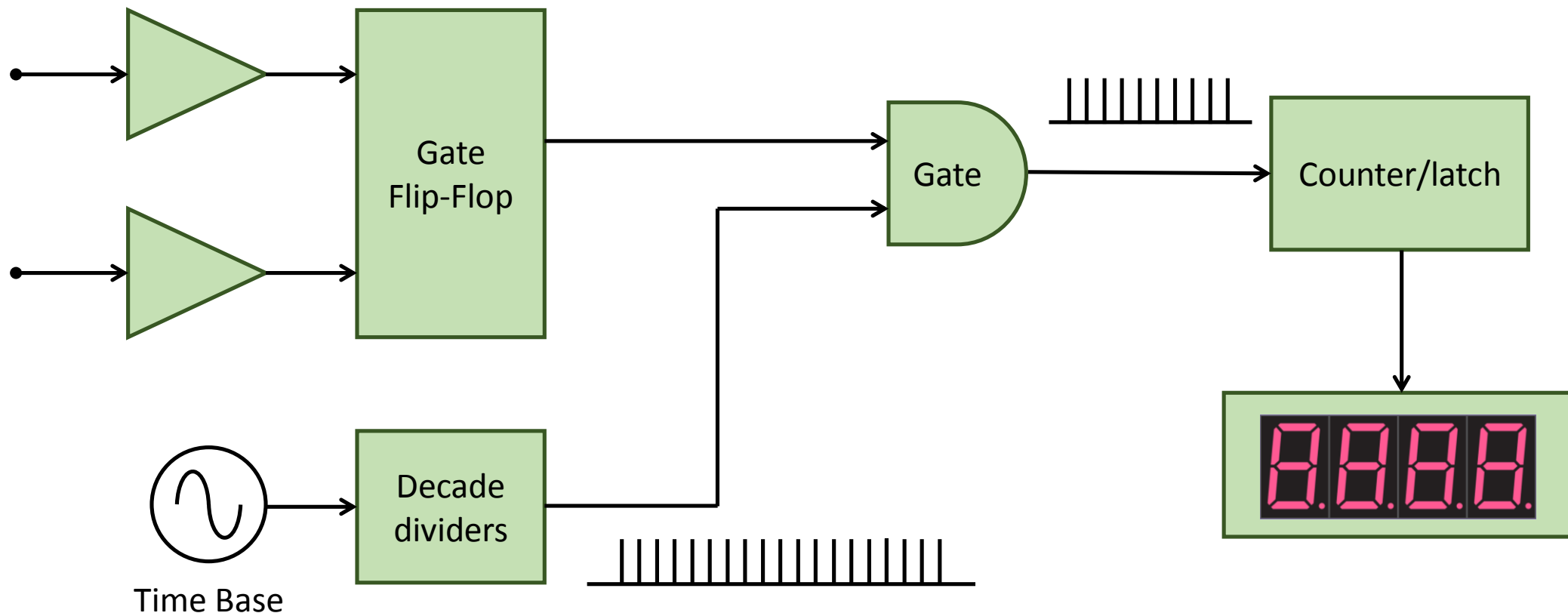
Gate Flip-Flop: The Gate Flip Flop then generates a pulse equal to the length of the timer interval required.



Oscillator and gate: Elapsed time between start and stop is measured by counting the Time Base frequency while the gate is open.

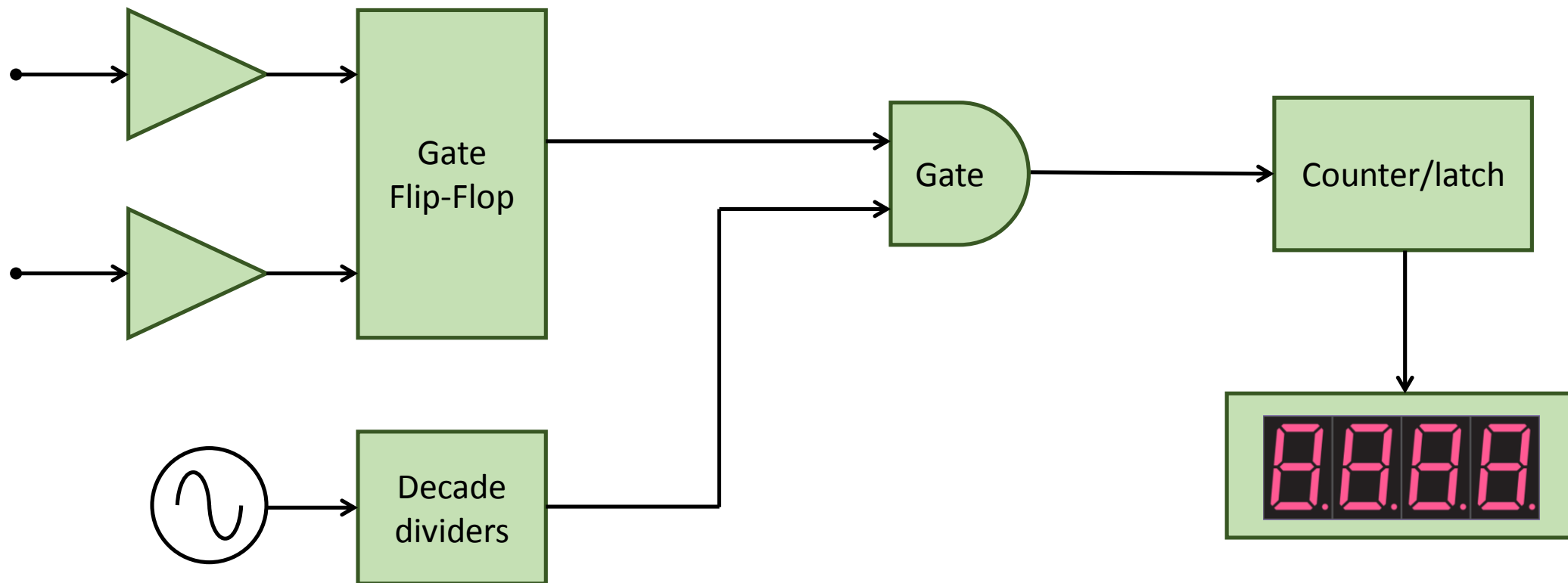


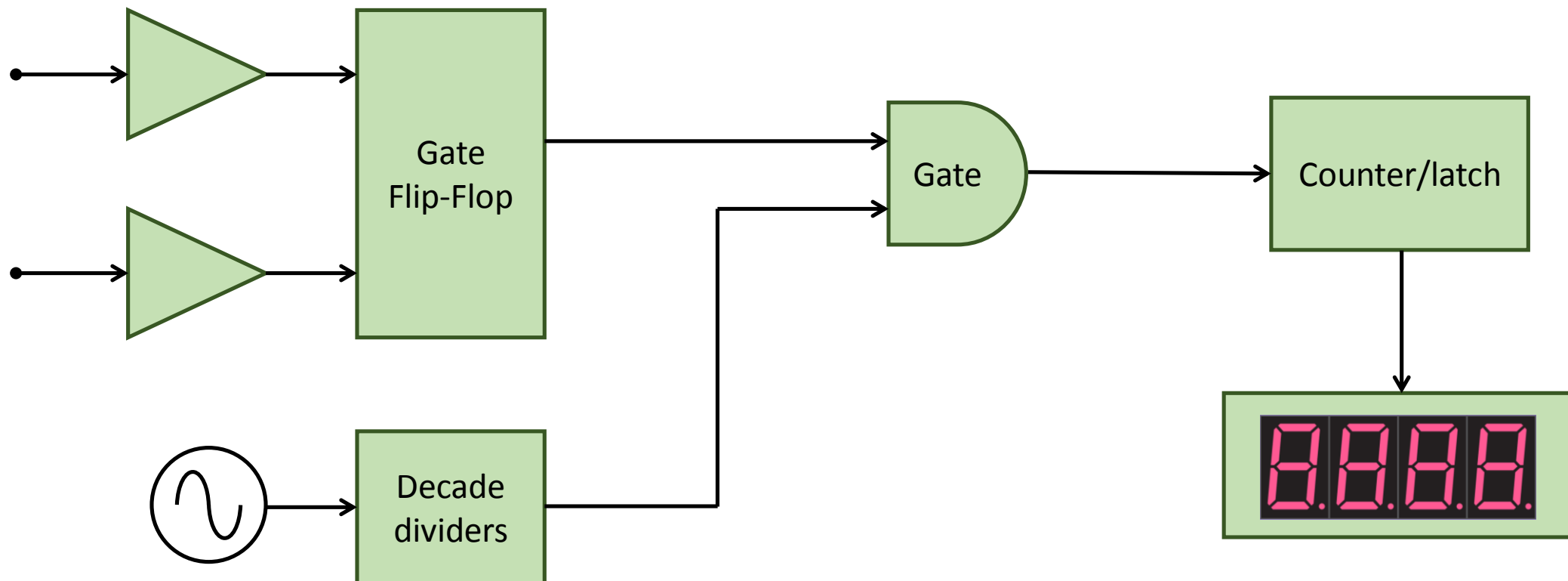
Oscillator and gate: Elapsed time between start and stop is measured by counting the Time Base frequency while the gate is open.



For conventional counters, direct readout is achieved by using clock frequencies related by powers of 10 — i.e., 1 MHz, 10 MHz, 100 MHz, etc., (period of 1 μ s, 100 ns, 10 ns, respectively)

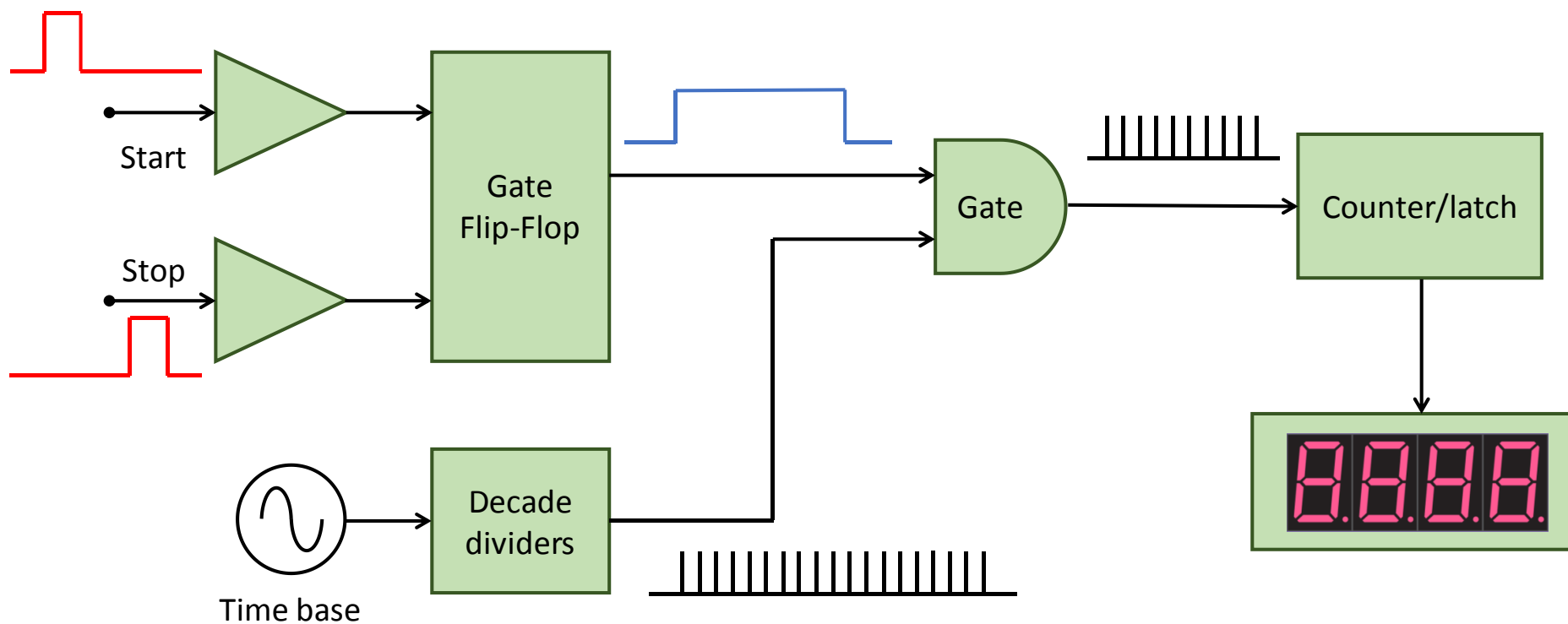
Counter/latch: The counter takes the incoming pulses from the gate. It has a set of divide-by-10 stages as a decimal based display is required. The number of stages within the overall counter is equal to the number of display digits minus 1. As the counters are chained the first stage is the input divided by ten, the next is the input divided by 10×10 (100) as it has been divided by two stages, and so forth.



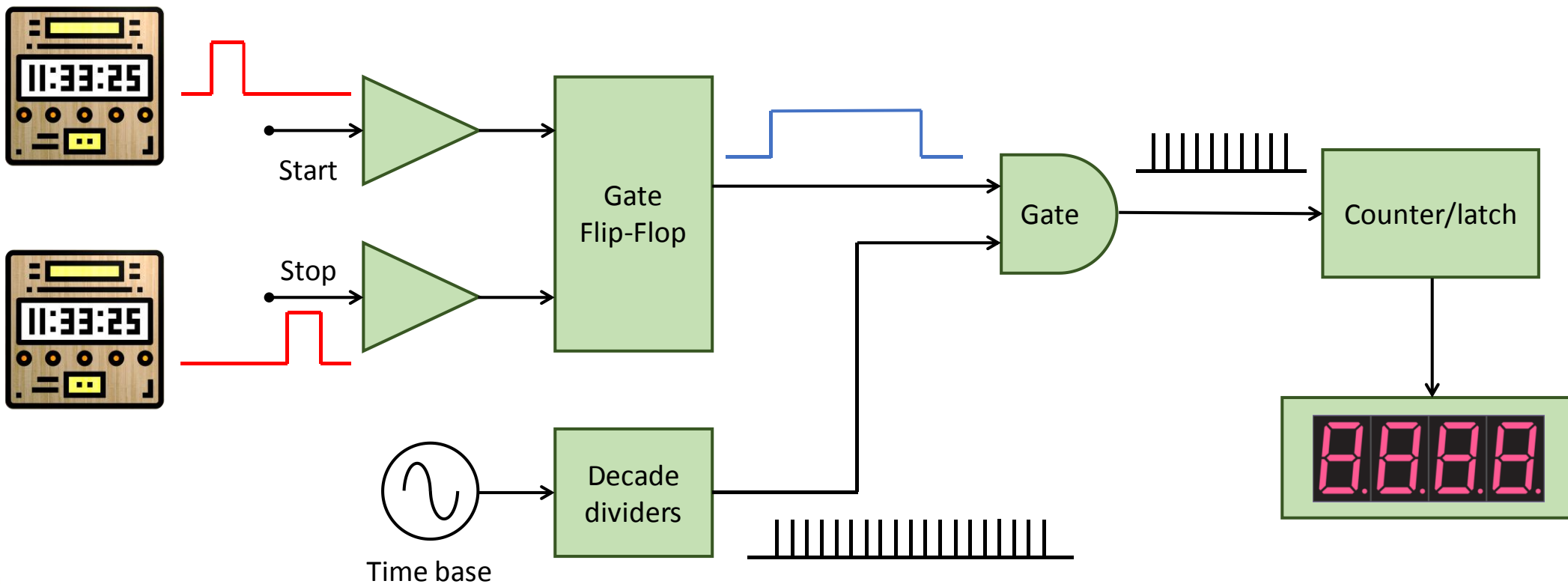


Display: The display takes the output from the latch and displays it in a normal readable format. There is a digit for each decade the counter can display. The display will be programmed to place the decimal point in the correct position. For example for the 1 second time interval with a 1 MHz clock, 1 000 000 pulses are counted and the decimal point will need to be placed after the figure 1 to indicate 1.000 000 seconds.

Time Difference Measurements

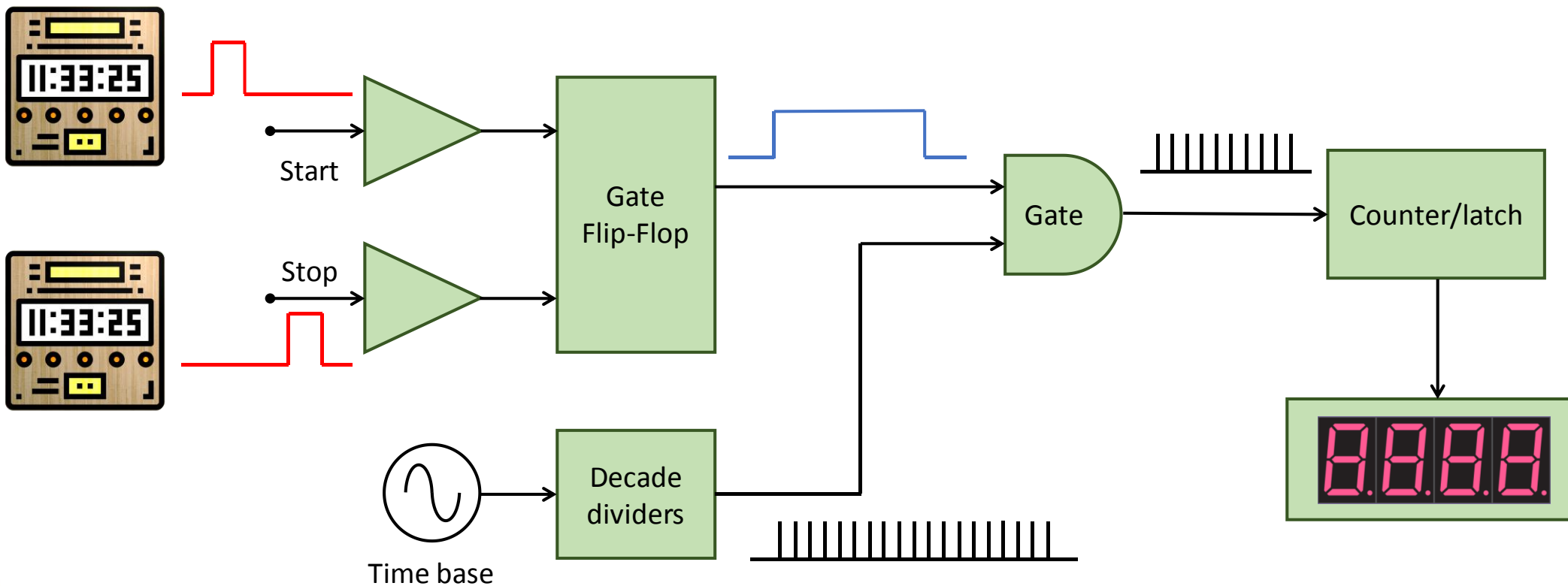


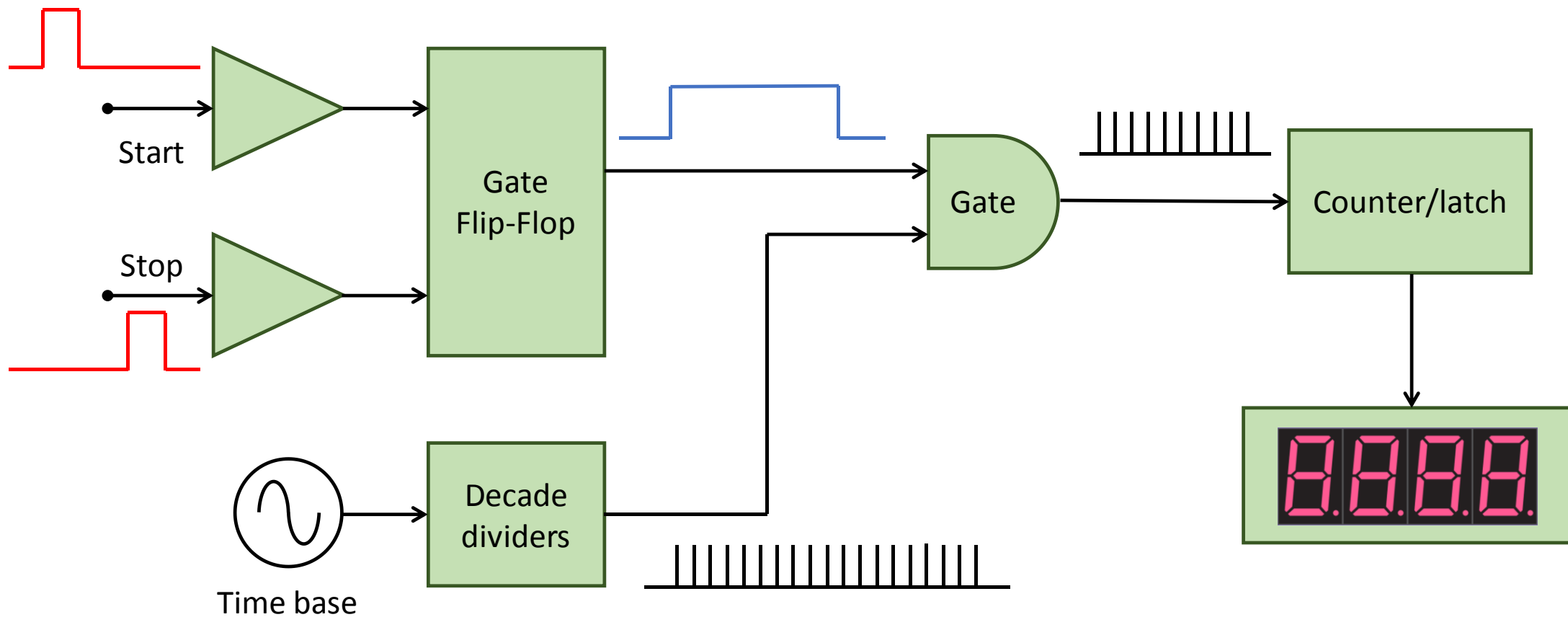
Time Difference Measurements



Time Difference Measurements

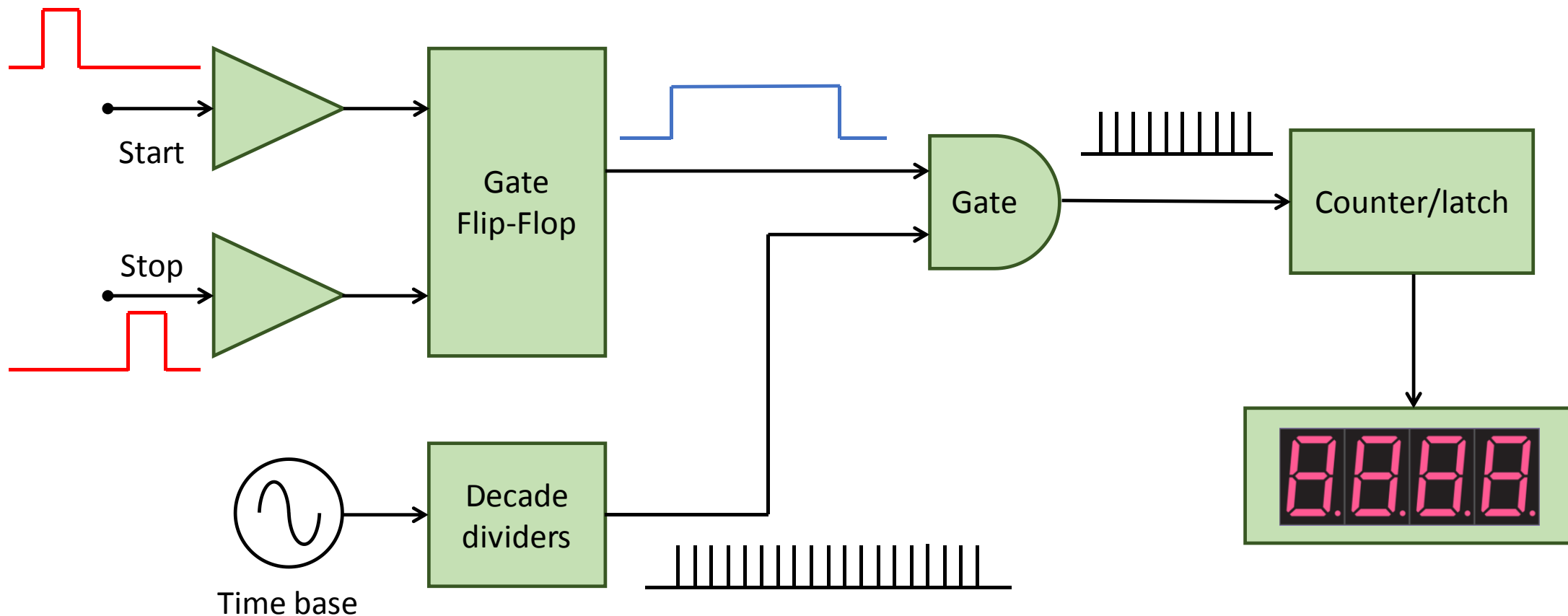
The difference between one measurement of time and another



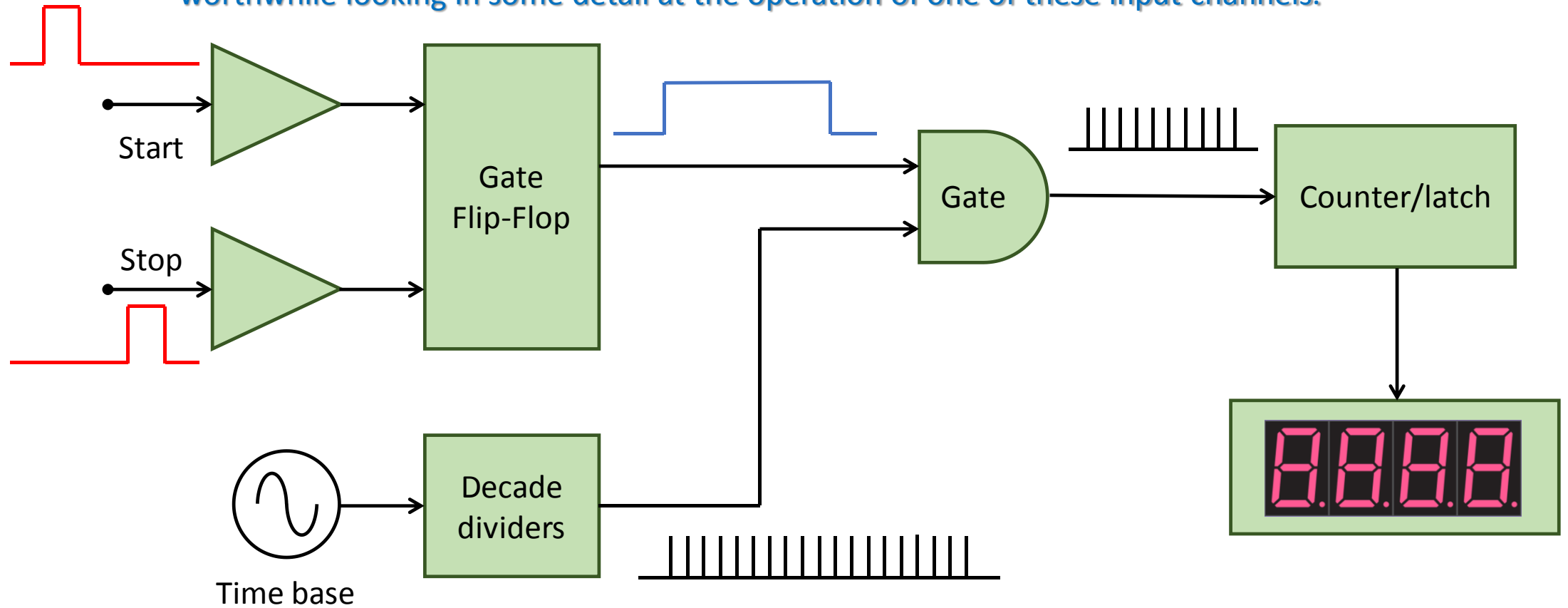


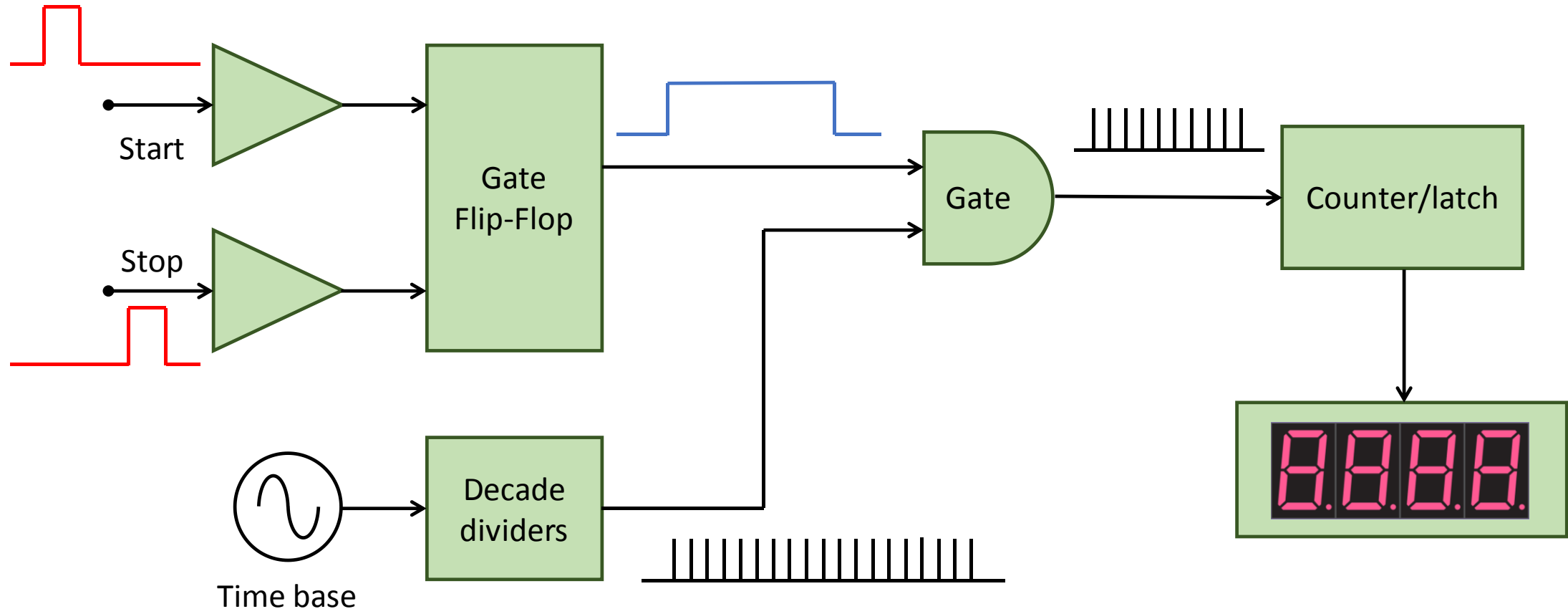
The resolution of a conventional time interval counter is determined by its time base frequency. A frequency of 1 MHz gives 1 μ sec resolution, 100 MHz gives 10 ns resolution, 500 MHz gives 2 ns resolution and so on.

Since the input amplifier-trigger circuits of the counter are the interface from the signal of interest to the counter they are one of the most critical circuit elements in accurate time interval measurements.



The input amplifier and trigger circuits establish the voltage level at which an input signal will trigger the counter. Noise, drift, ac-dc coupling, and other factors relating to these circuits all influence the measurement. Since these circuits are so important it is worthwhile looking in some detail at the operation of one of these input channels.

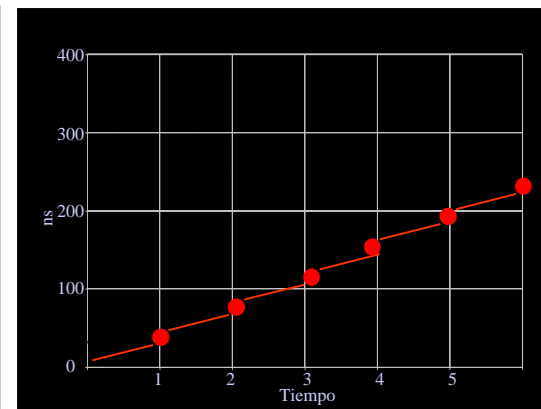
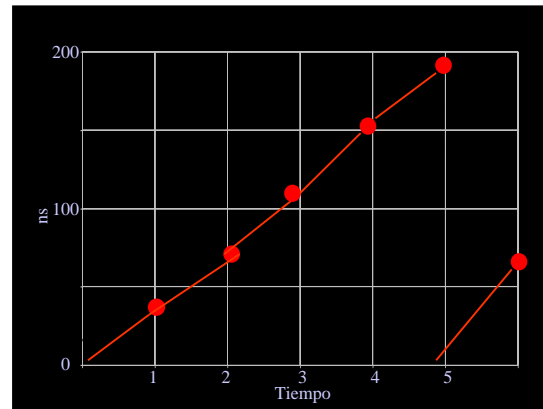
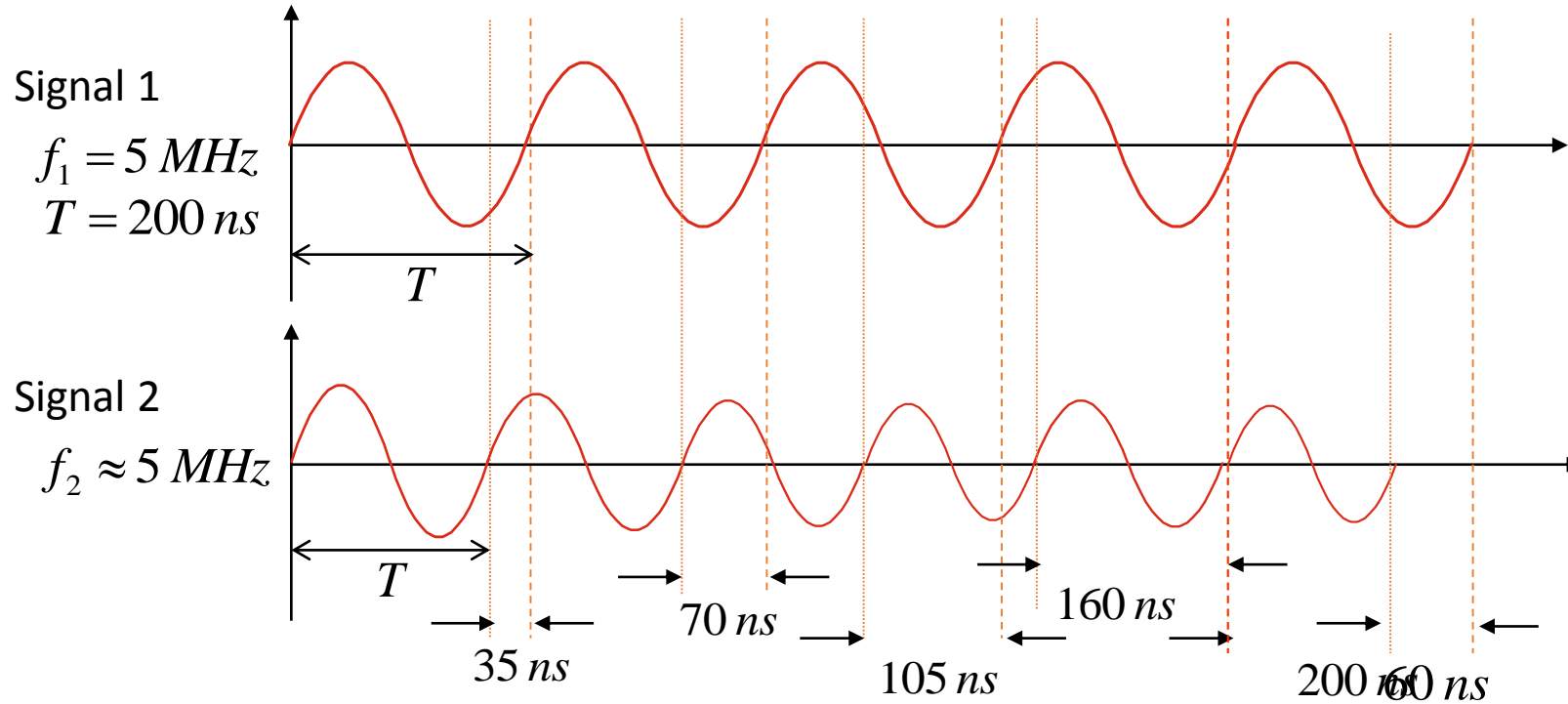


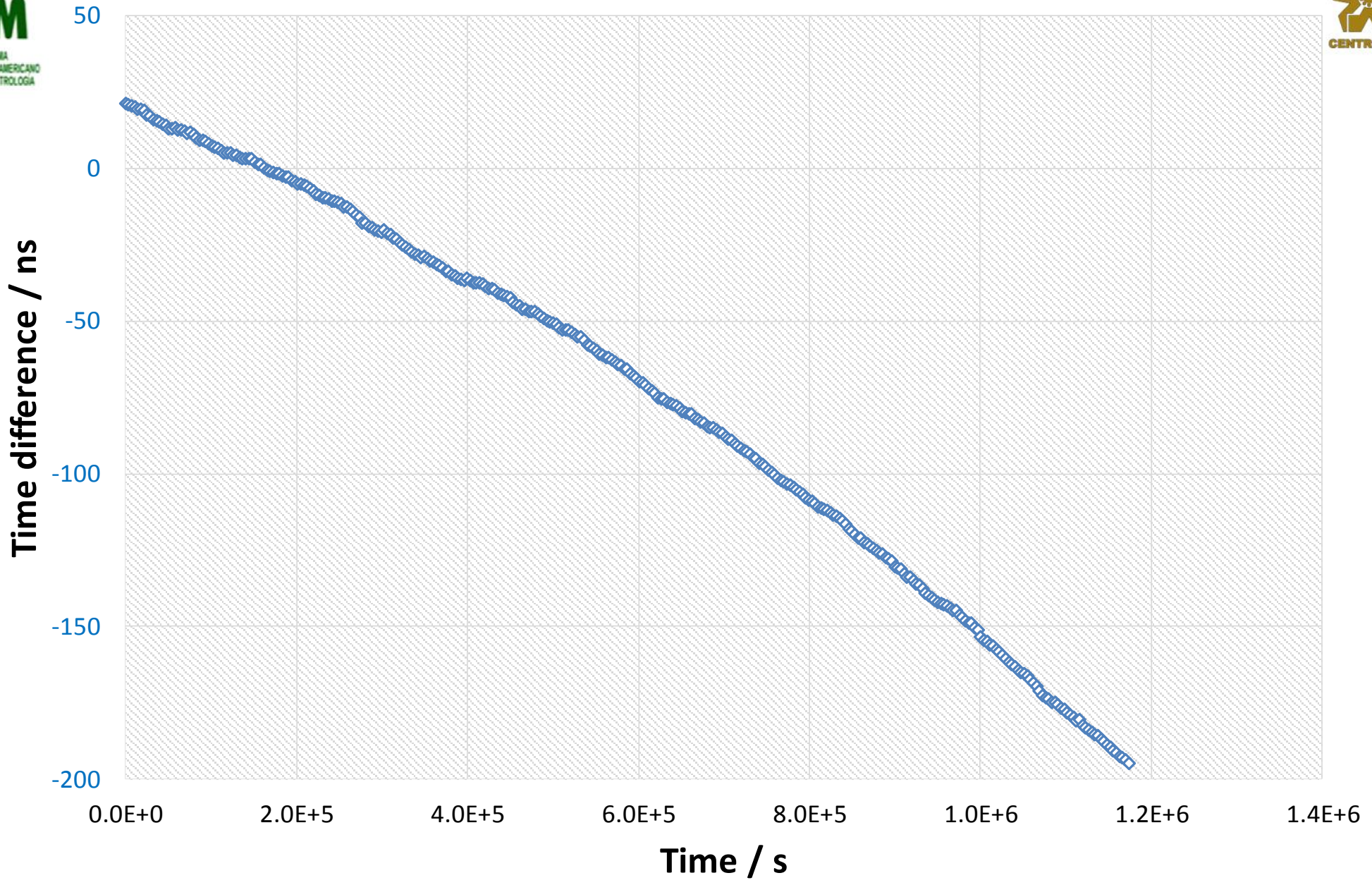


The measurement accuracy of the time interval counter is dependent upon the clock oscillator



Time Difference Measurements Example

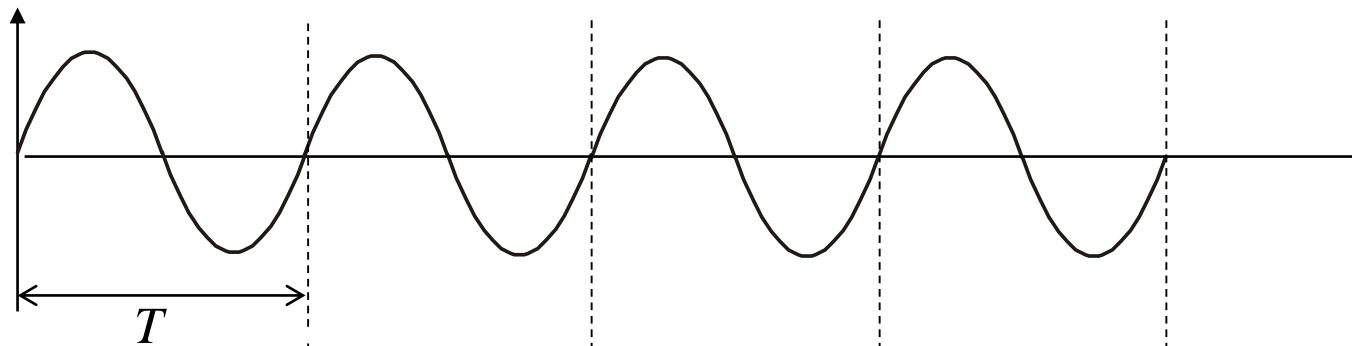




Signal 1

$$f_1 = 5 \text{ MHz}$$

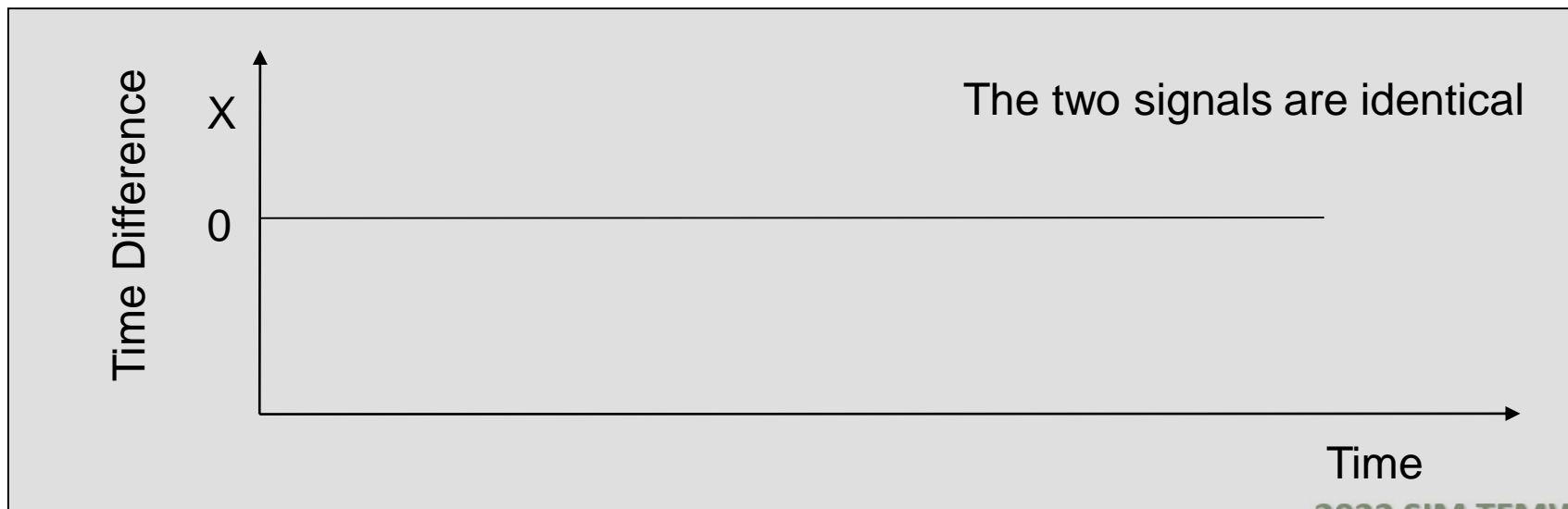
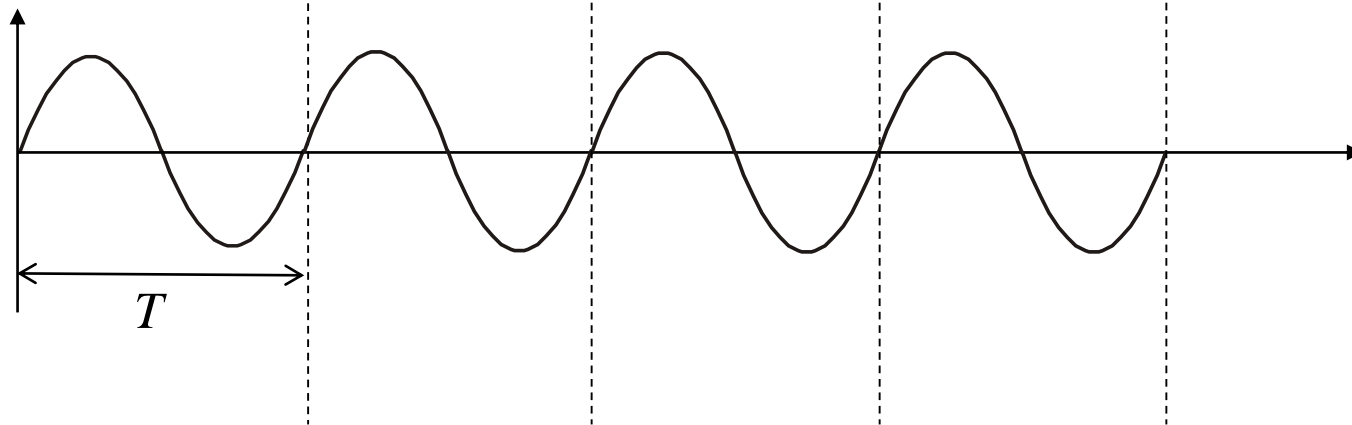
$$T = 200 \text{ ns}$$



Signal 2

$$f_2 = 5 \text{ MHz}$$

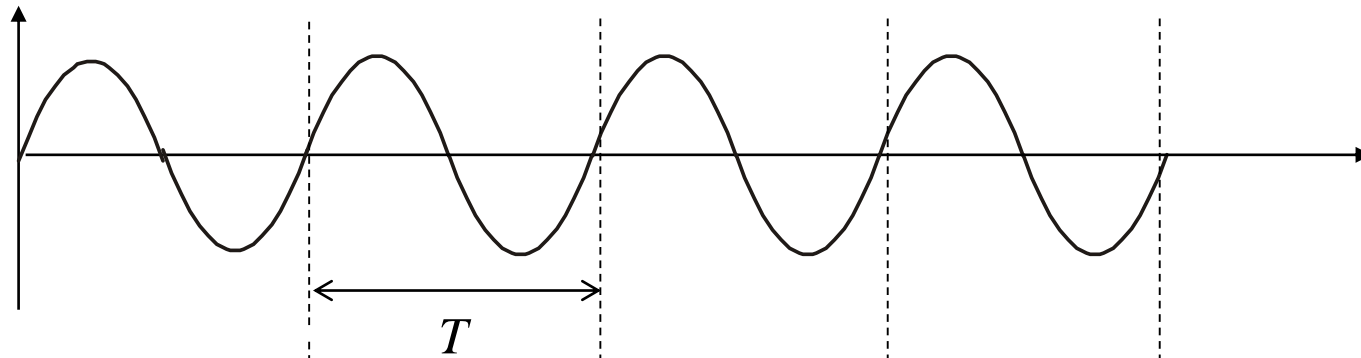
$$T = 200 \text{ ns}$$



Signal 1

$$f_1 = 5 \text{ MHz}$$

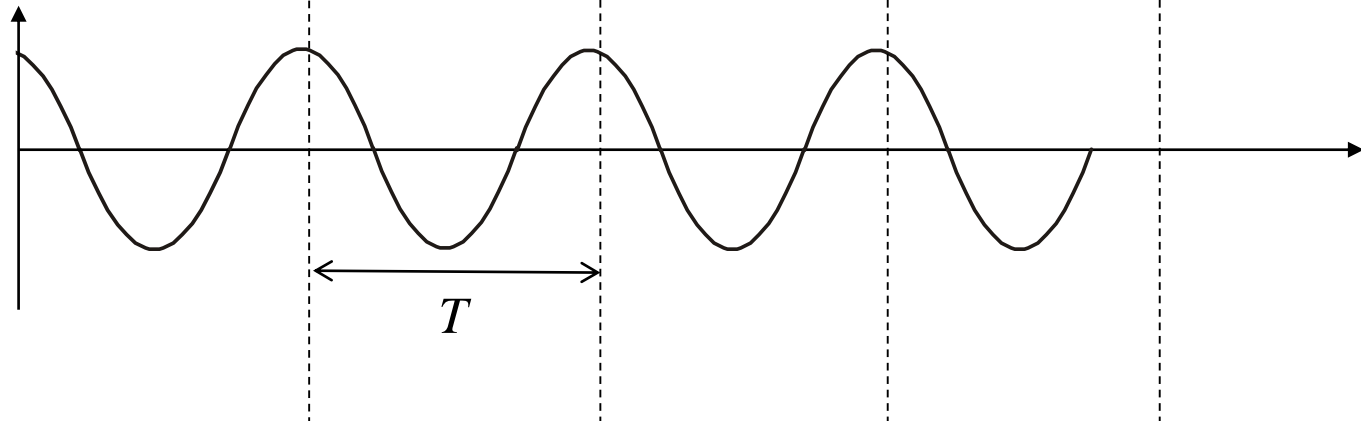
$$T = 200 \text{ ns}$$



Signal 2

$$f_2 = 5 \text{ MHz}$$

$$T = 200 \text{ ns}$$



Time Difference

X

$T/4$

0

The two signals have the same frequency,
but with different phase (not synchronized)

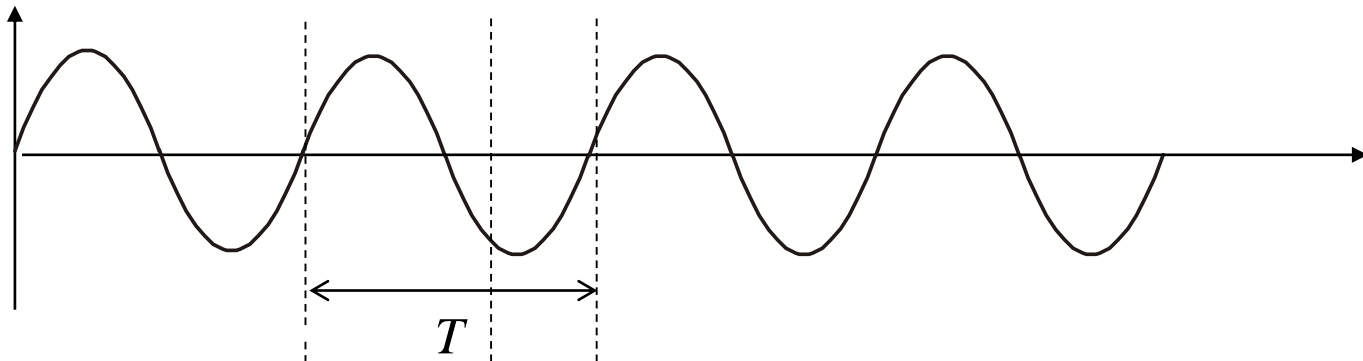
Time



Signal 1

$$f_1 = 5 \text{ MHz}$$

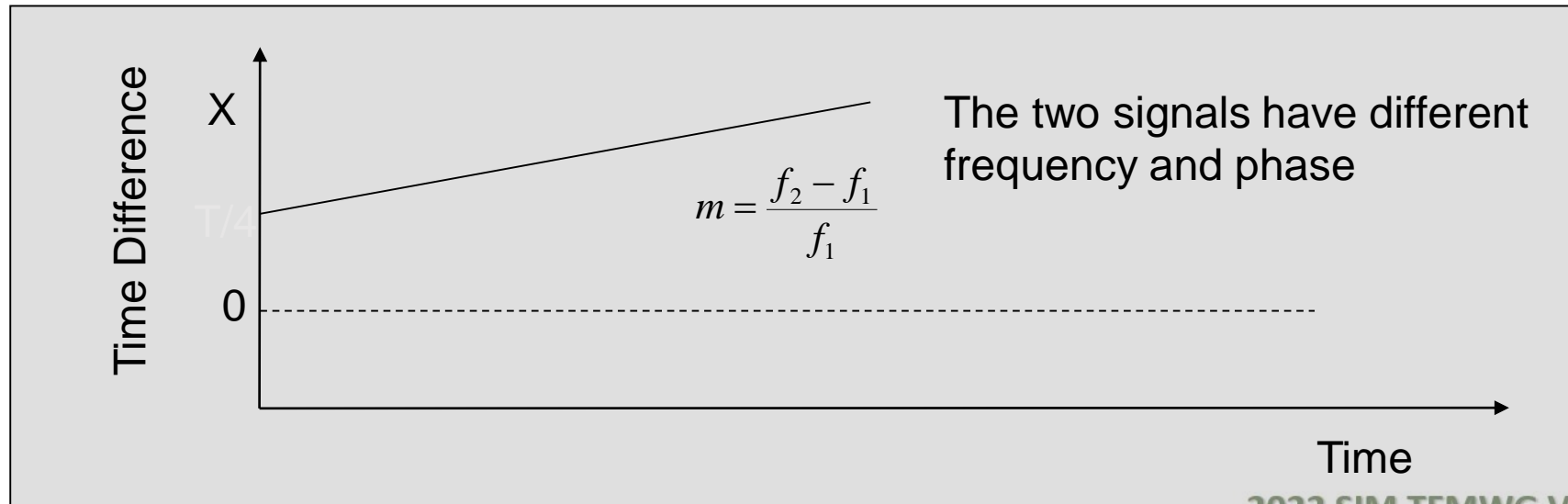
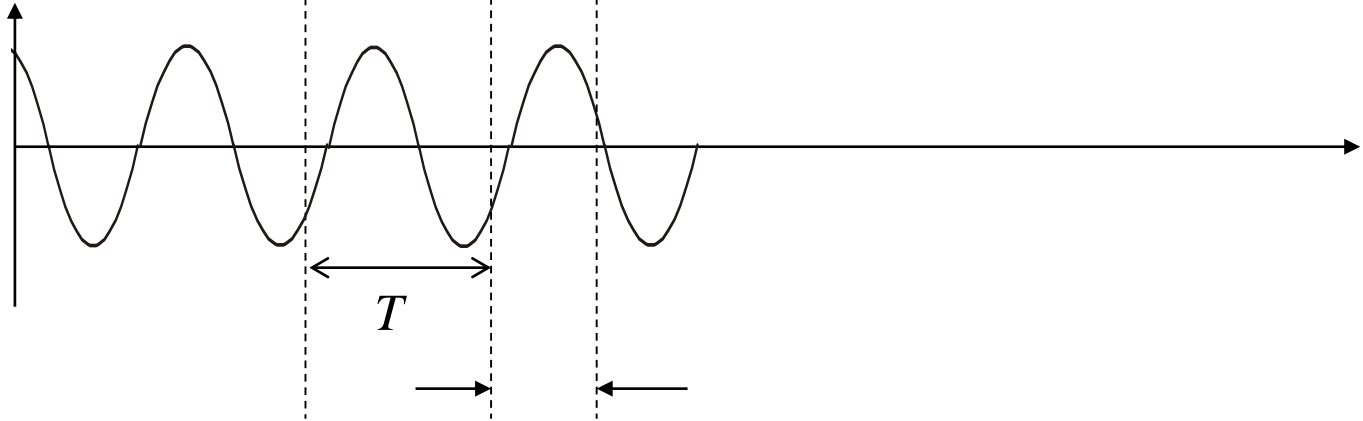
$$T = 200 \text{ ns}$$



Signal 2

$$f_2 = 5 \text{ MHz} + \delta$$

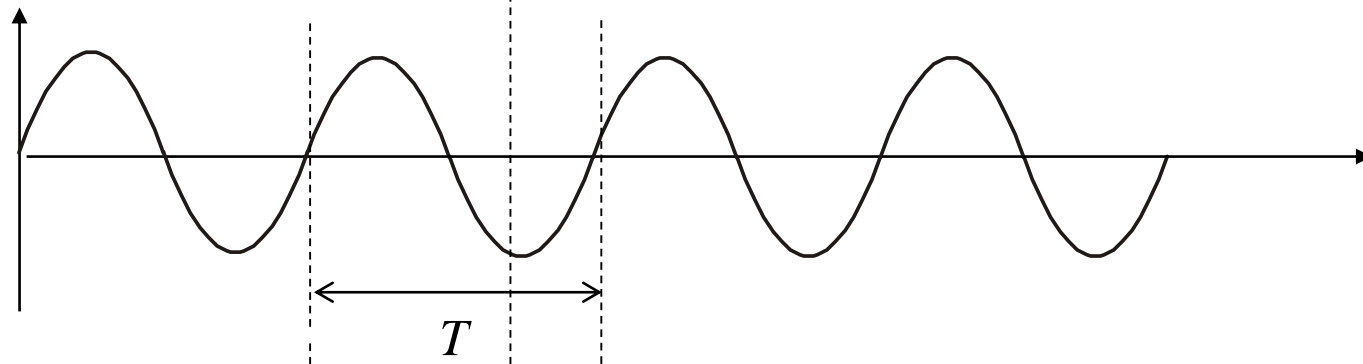
$$T \approx 200 \text{ ns}$$



Signal 1

$$f_1 = 5 \text{ MHz}$$

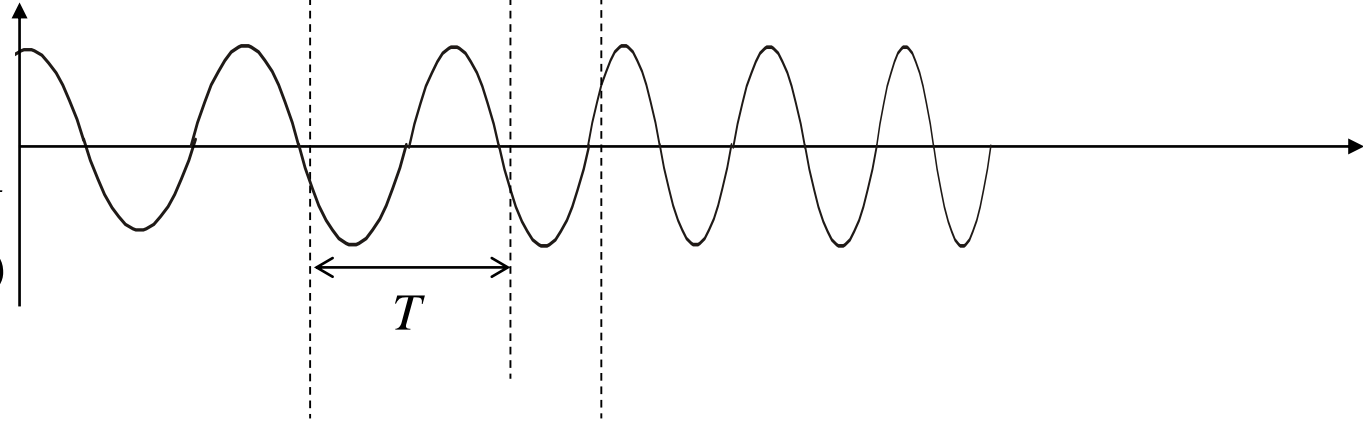
$$T = 200 \text{ ns}$$



Signal 2

$$f_2 = 5 \text{ MHz} + c \times t$$

$$T = 200 \text{ ns} + \phi(t)$$



Time Difference

X

$$X(t) = x_0 + y_0 t + \frac{1}{2} D t^2 + \varepsilon(t)$$

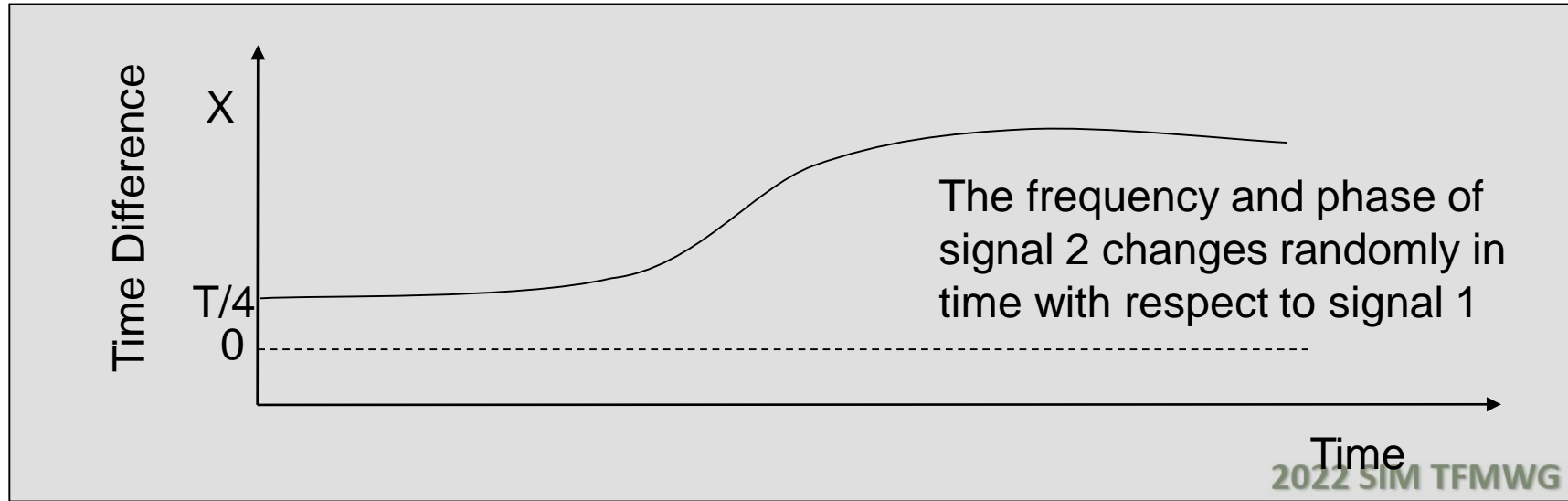
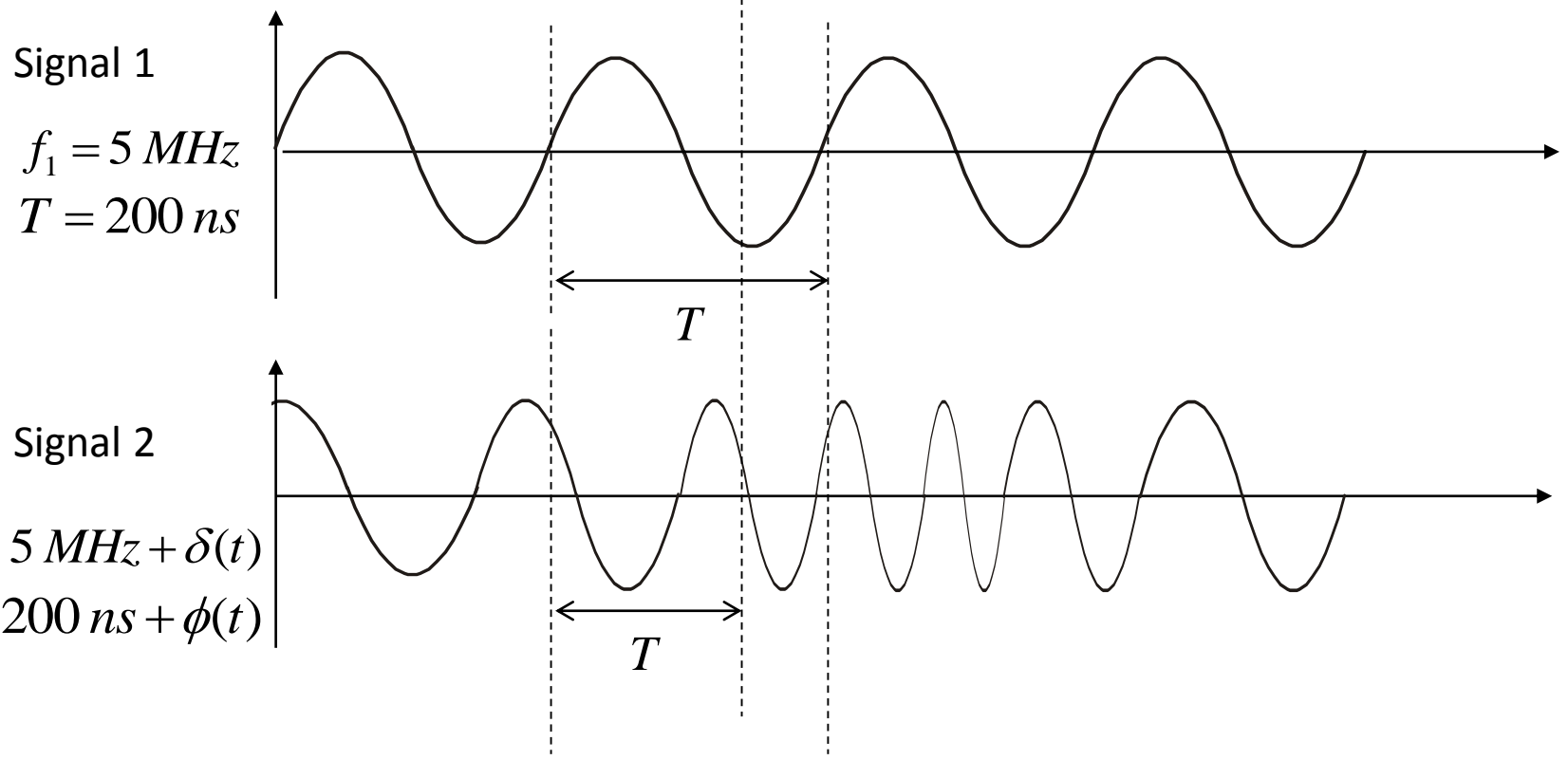
T/4

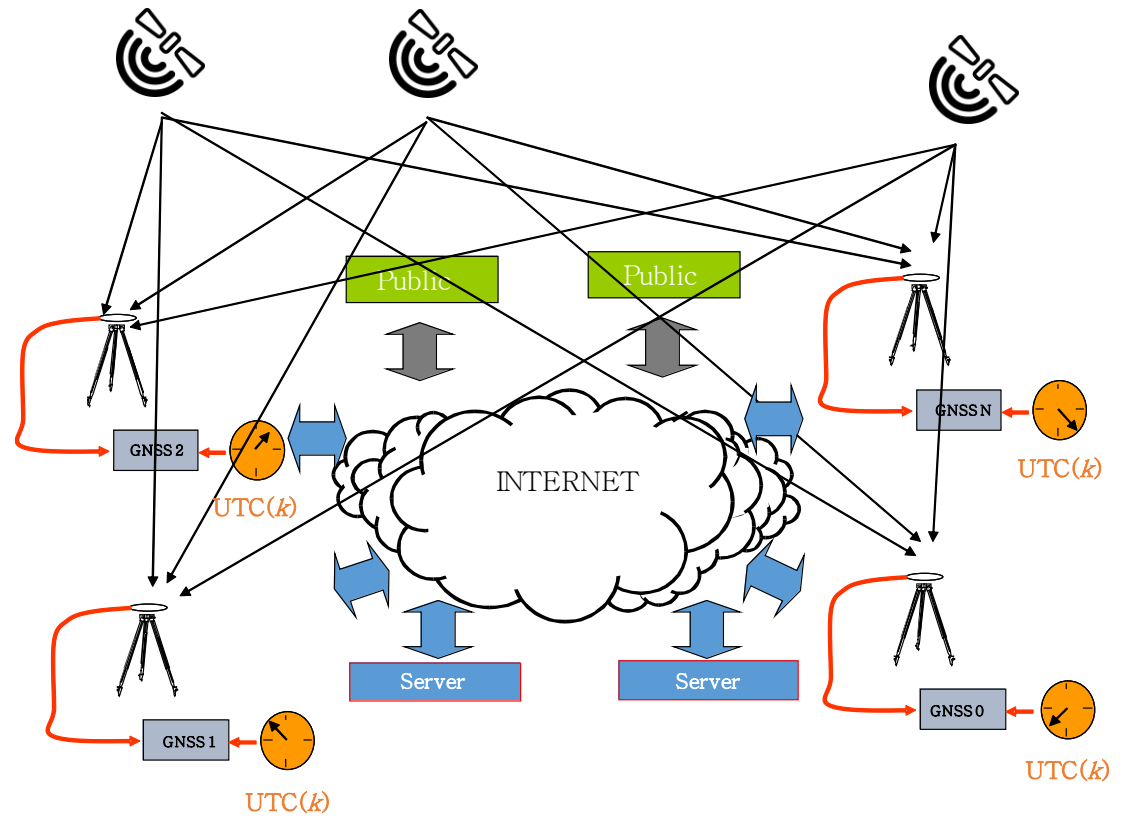
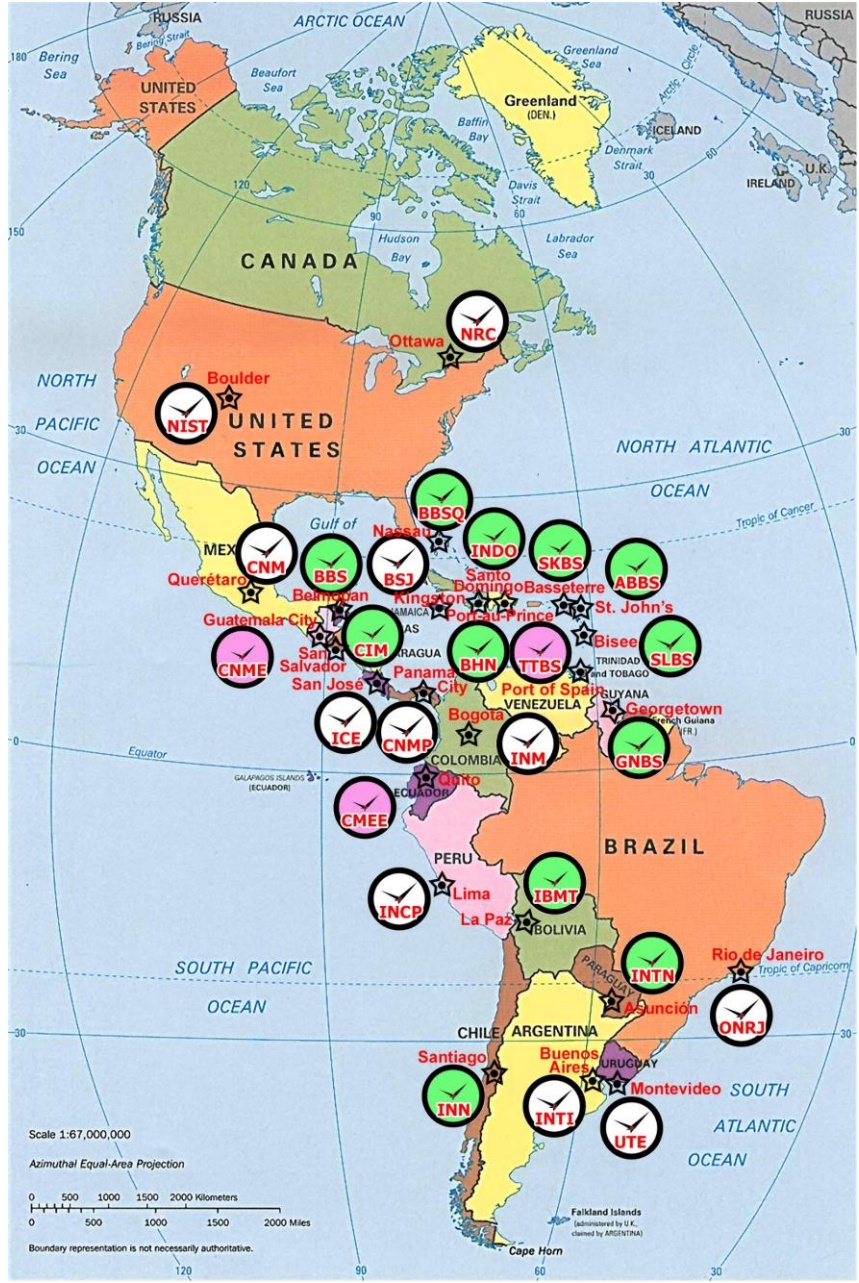
0

The frequency of signal 2 changes linearly in time with respect to signal 1

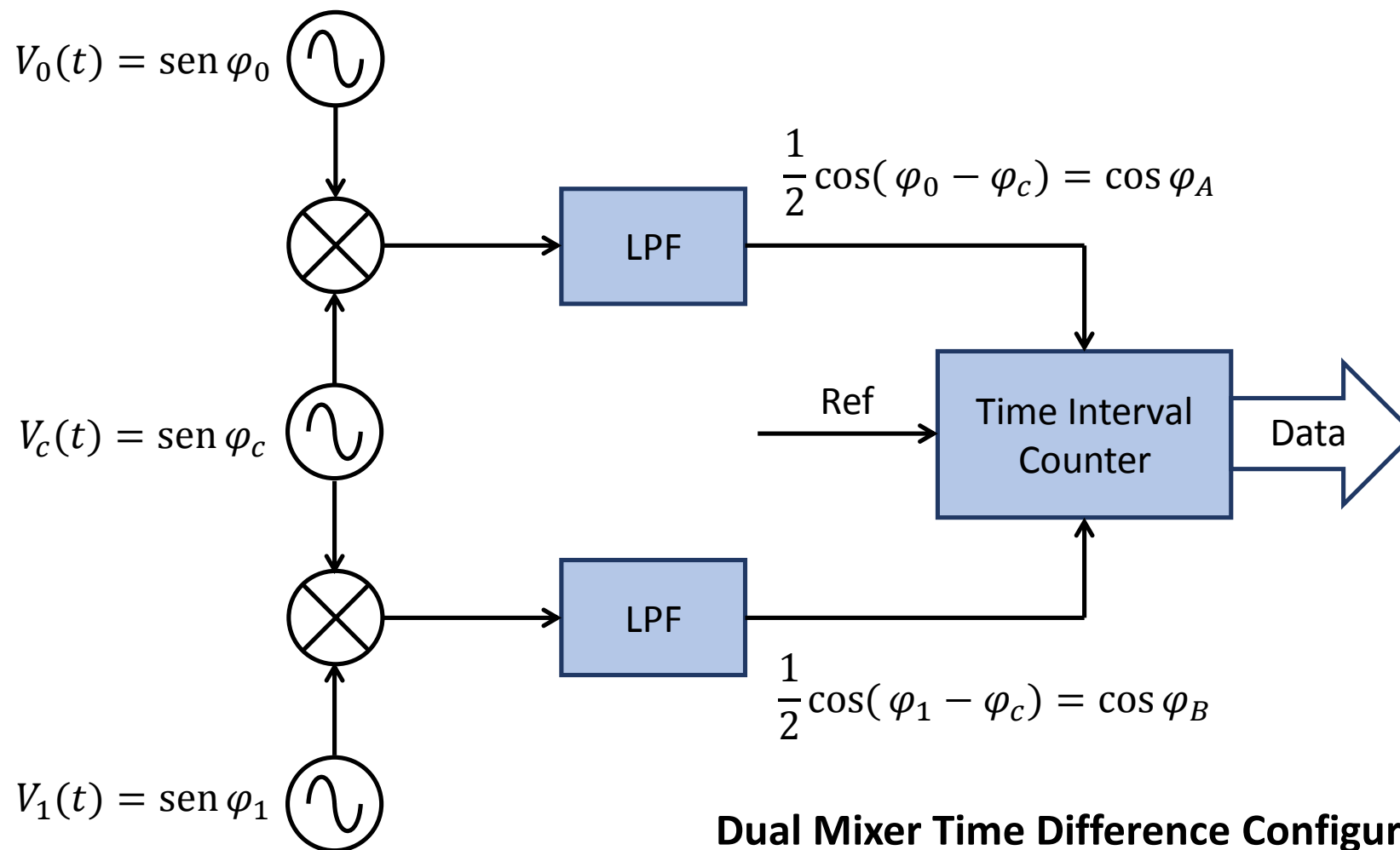
Time







High Resolution Time Difference Measurements



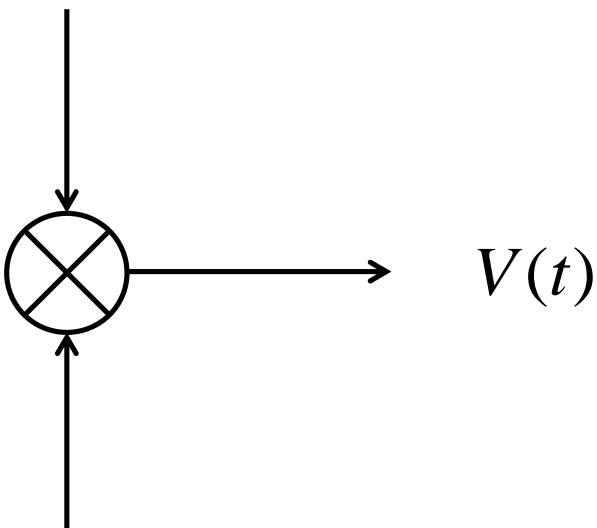
Dual Mixer Time Difference Configuration

Operating Principle of a Frequency Mixer

$$V_1(t) = A_1 \text{sen } \phi_1$$

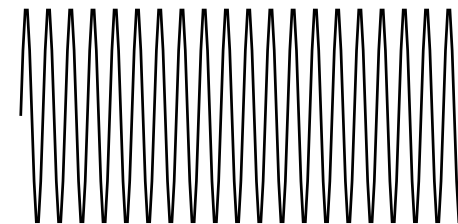
$$V(t) = V_1(t) \times V_2(t)$$

$$= A_1 \text{sen } \phi_1 \times A_2 \text{sen } \phi_2$$

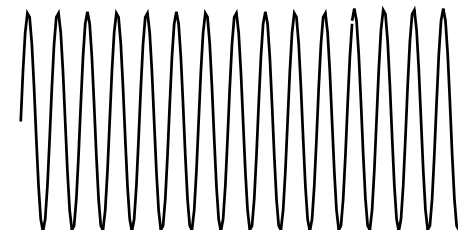


$$V_2(t) = A_2 \text{sen } \phi_2$$

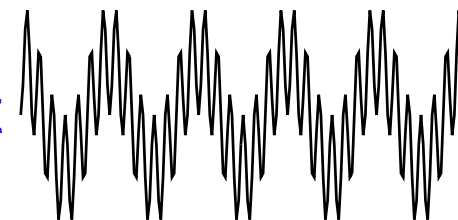
Input 1



Input 2



Output



Operating Principle of a Frequency Mixer

$$V(t) = V_1(t) \times V_2(t) = A_1 \text{sen} \phi_1 \times A_2 \text{sen} \phi_2$$

$$= A_1 \left(\frac{e^{i\phi_1} - e^{-i\phi_1}}{2i} \right) \times A_2 \left(\frac{e^{i\phi_2} - e^{-i\phi_2}}{2i} \right)$$

$$= A_1 A_2 \left(\frac{e^{i\phi_1+i\phi_2} - e^{i\phi_1-i\phi_2} - e^{-i\phi_1+i\phi_2} + e^{-i\phi_1-i\phi_2}}{4 \times i \times i} \right)$$

$$= A_1 A_2 \left(\frac{e^{i(\phi_1+\phi_2)} + e^{-i(\phi_1+\phi_2)} - e^{i(\phi_1-\phi_2)} - e^{-i(\phi_1-\phi_2)}}{4 \times 1} \right)$$

$$= \frac{A_1 A_2}{2} \left(\frac{e^{i(\phi_1+\phi_2)} + e^{-i(\phi_1+\phi_2)}}{2} - \frac{e^{i(\phi_1-\phi_2)} + e^{-i(\phi_1-\phi_2)}}{2} \right)$$

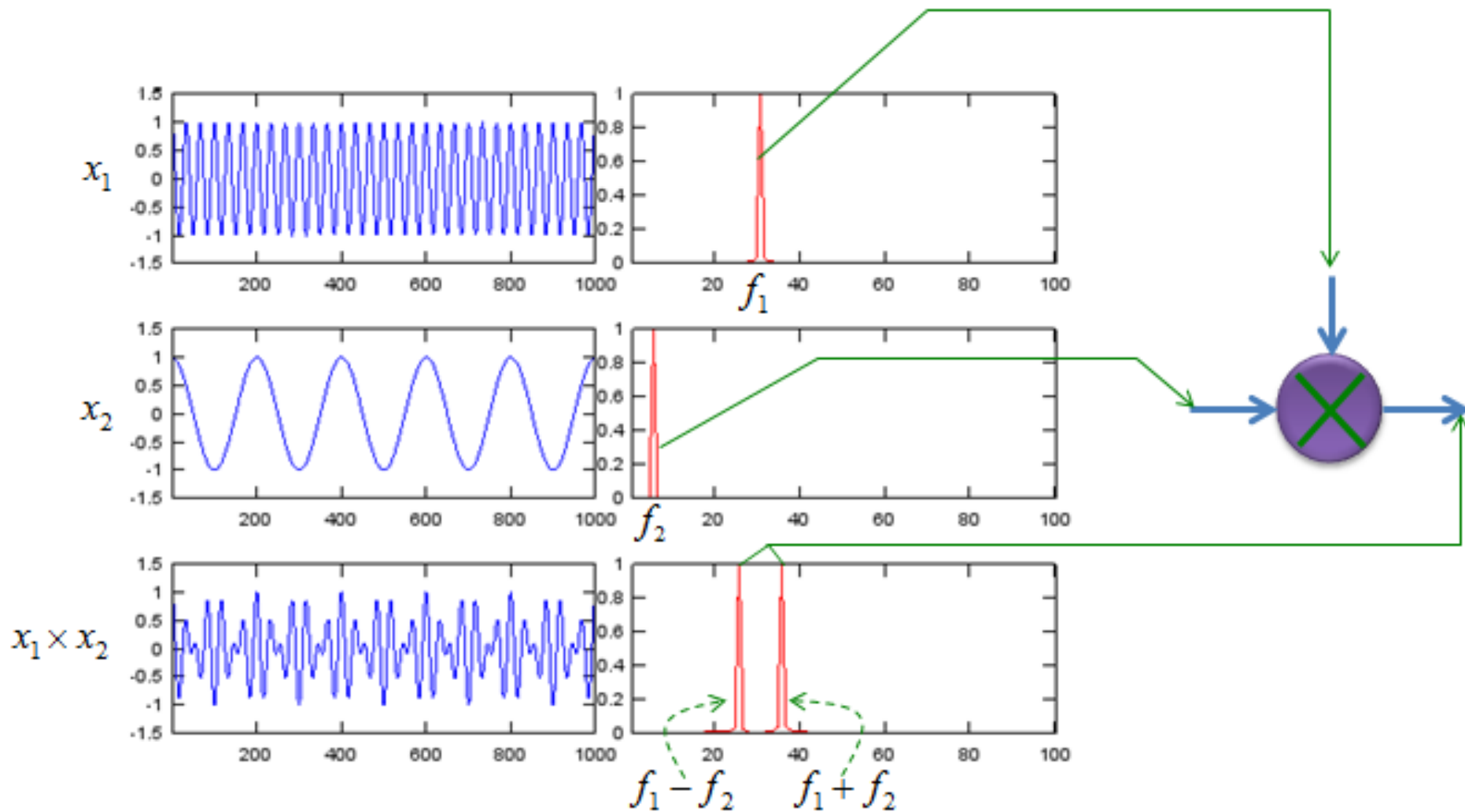
$$= \frac{A_1 A_2}{2} (\text{COS}(\phi_1 + \phi_2) - \text{COS}(\phi_1 - \phi_2))$$

$$\text{sen} \theta = \frac{e^{i\theta} - e^{-i\theta}}{2i}$$

$$\text{cos} \theta = \frac{e^{i\theta} + e^{-i\theta}}{2}$$

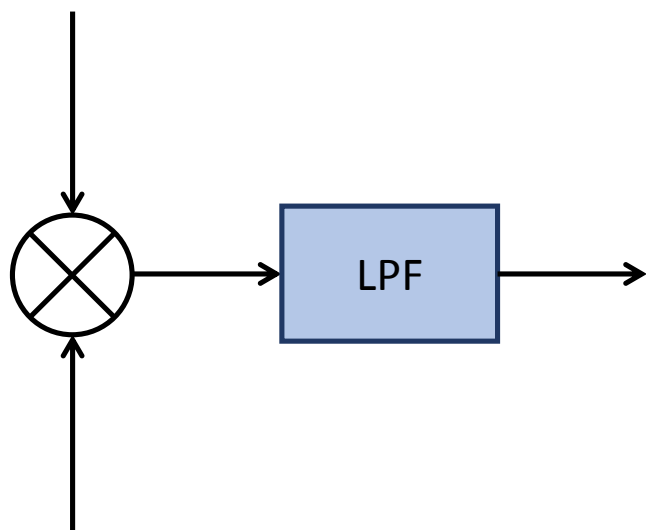


Operating Principle of a Frequency Mixer



Operating Principle of a Frequency Mixer

$$V_1(t) = A_1 \text{sen } \phi_1$$



$$V_2(t) = A_2 \text{sen } \phi_2$$

$$\begin{aligned} V(t) &= V_1(t) \times V_2(t) \\ &= A_1 \text{sen } \phi_1 \times A_2 \text{sen } \phi_2 \end{aligned}$$

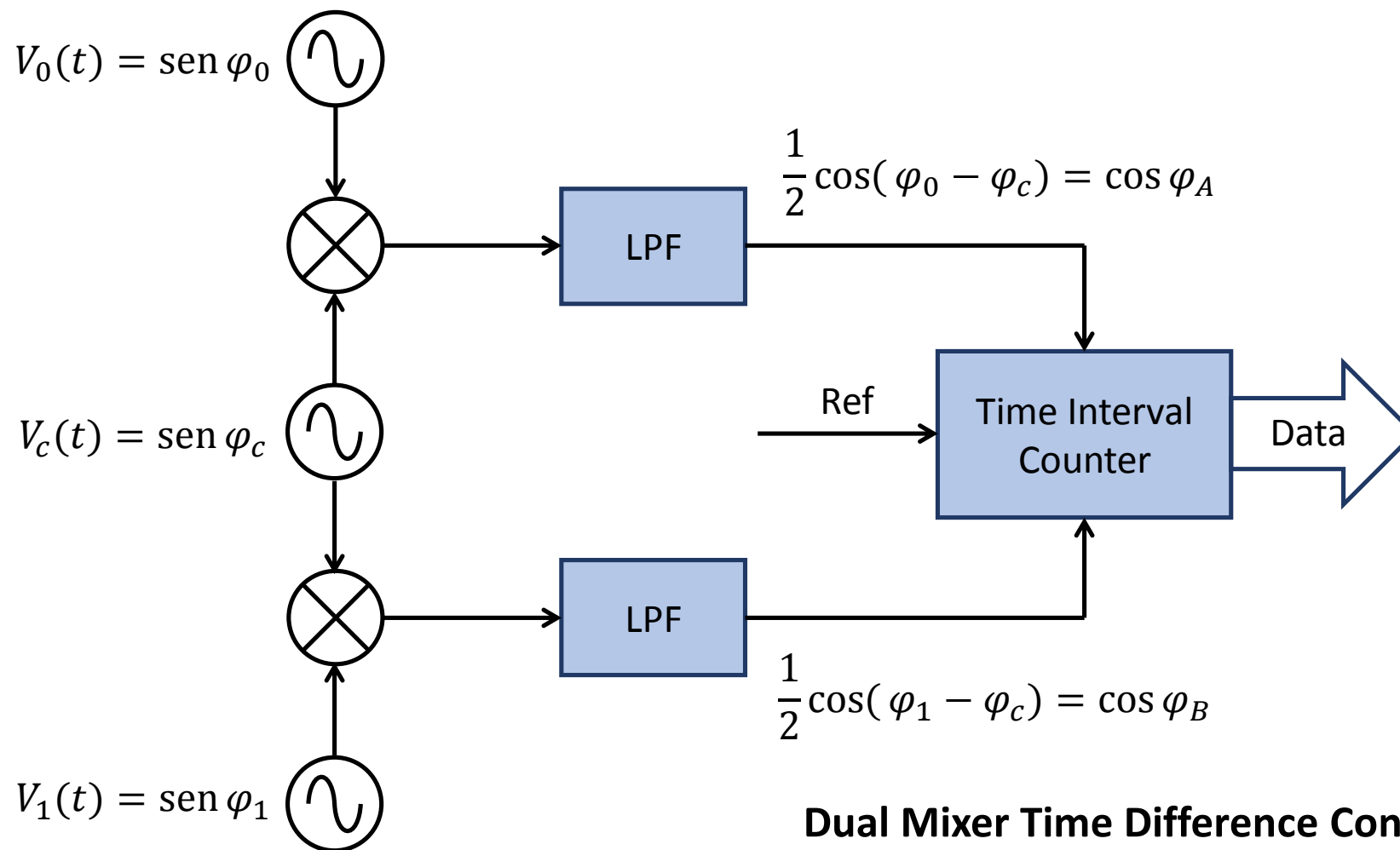
$$V(t) = \frac{A_1 A_2}{2} \cos(\phi_1 + \phi_2) - \frac{A_1 A_2}{2} \cos(\phi_1 - \phi_2)$$

A red arrow points from the zero in the second term to the zero in the equation above.

$$V(t) = \frac{A_1 A_2}{2} \cos(\phi_1 - \phi_2)$$



High Resolution Time Difference Measurements

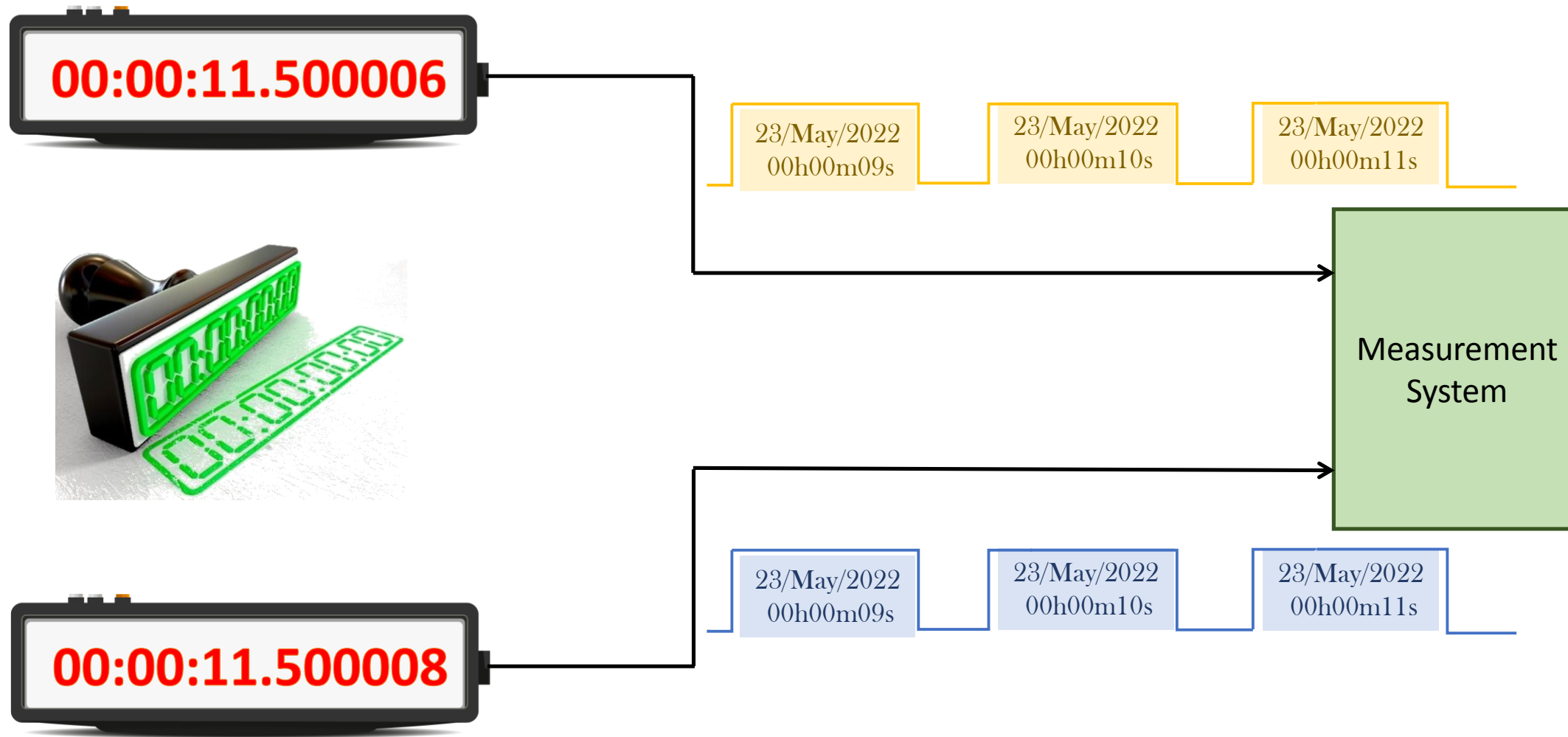


Dual Mixer Time Difference Configuration

Time Measurements

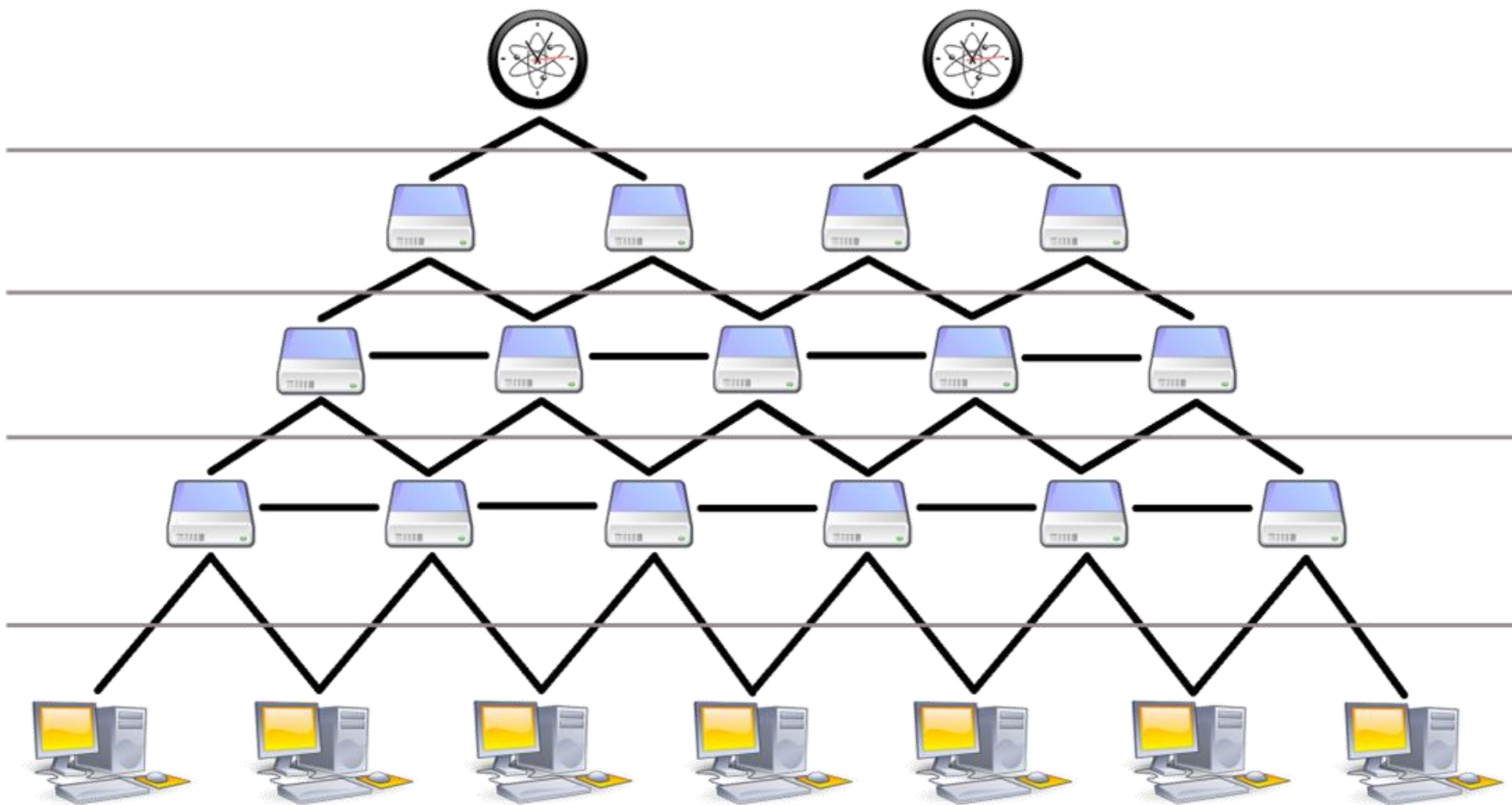


Time Measurements



Time Synchronization

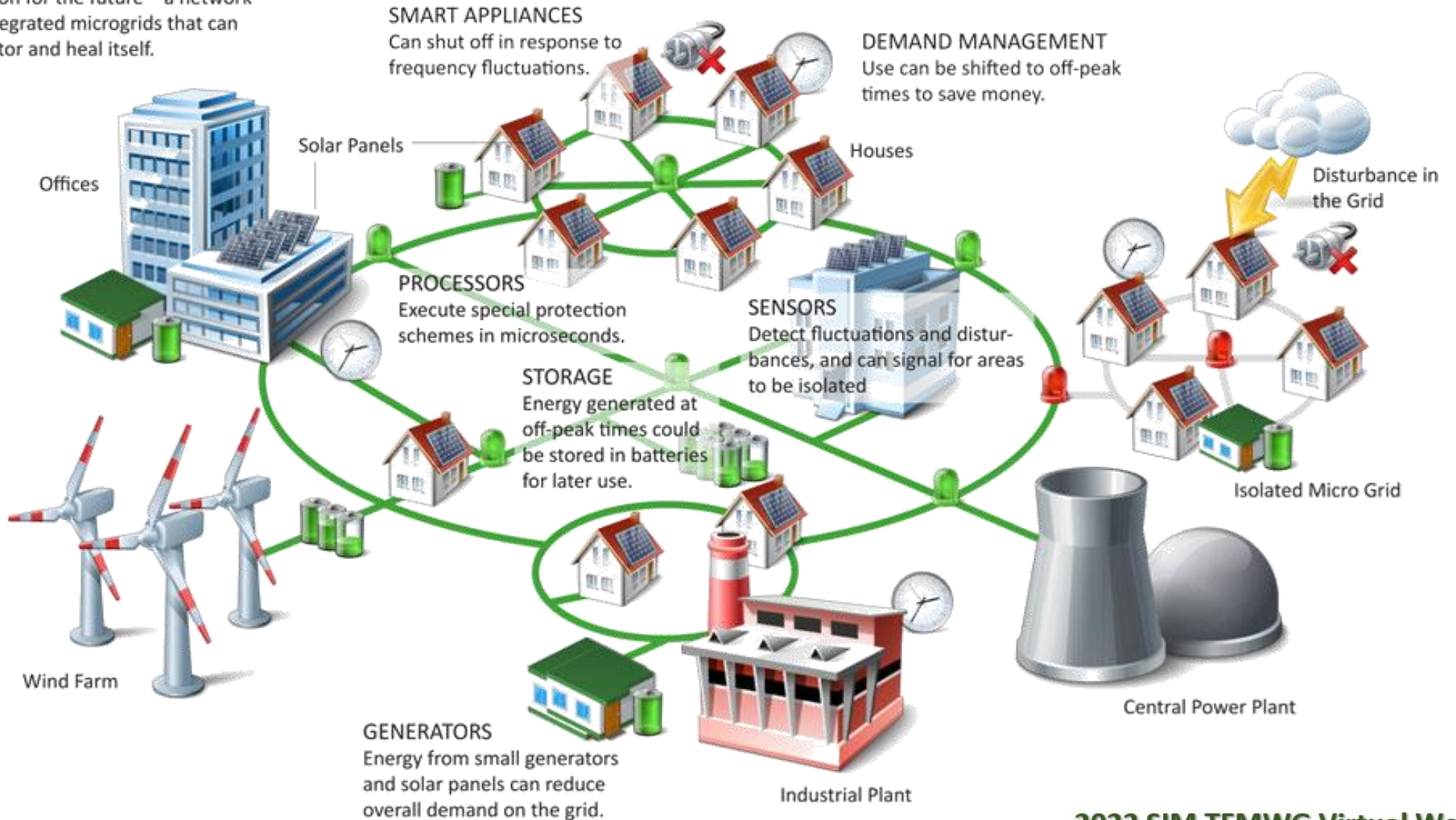
Time Measurements



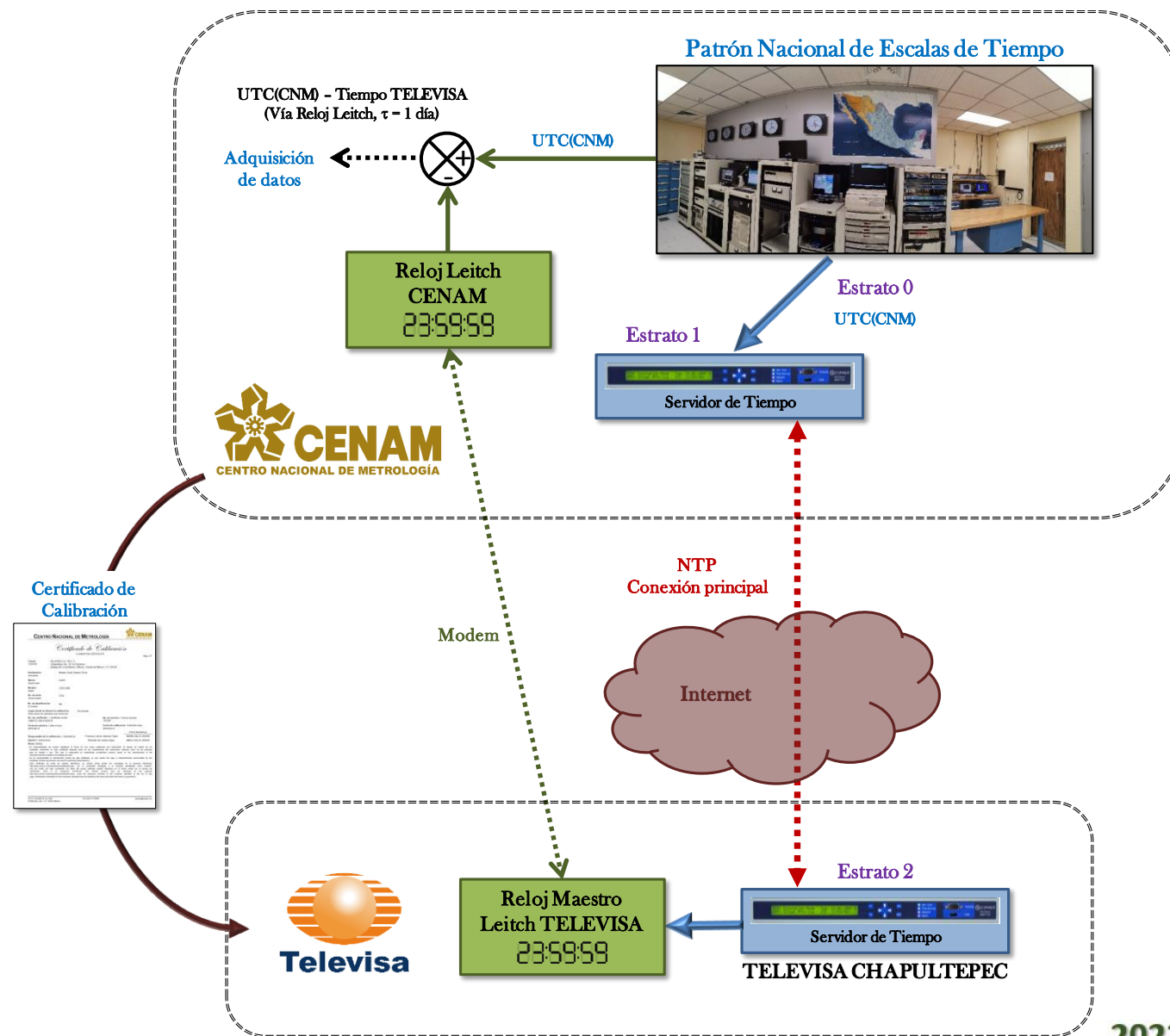
Time Measurements

SMART GRID

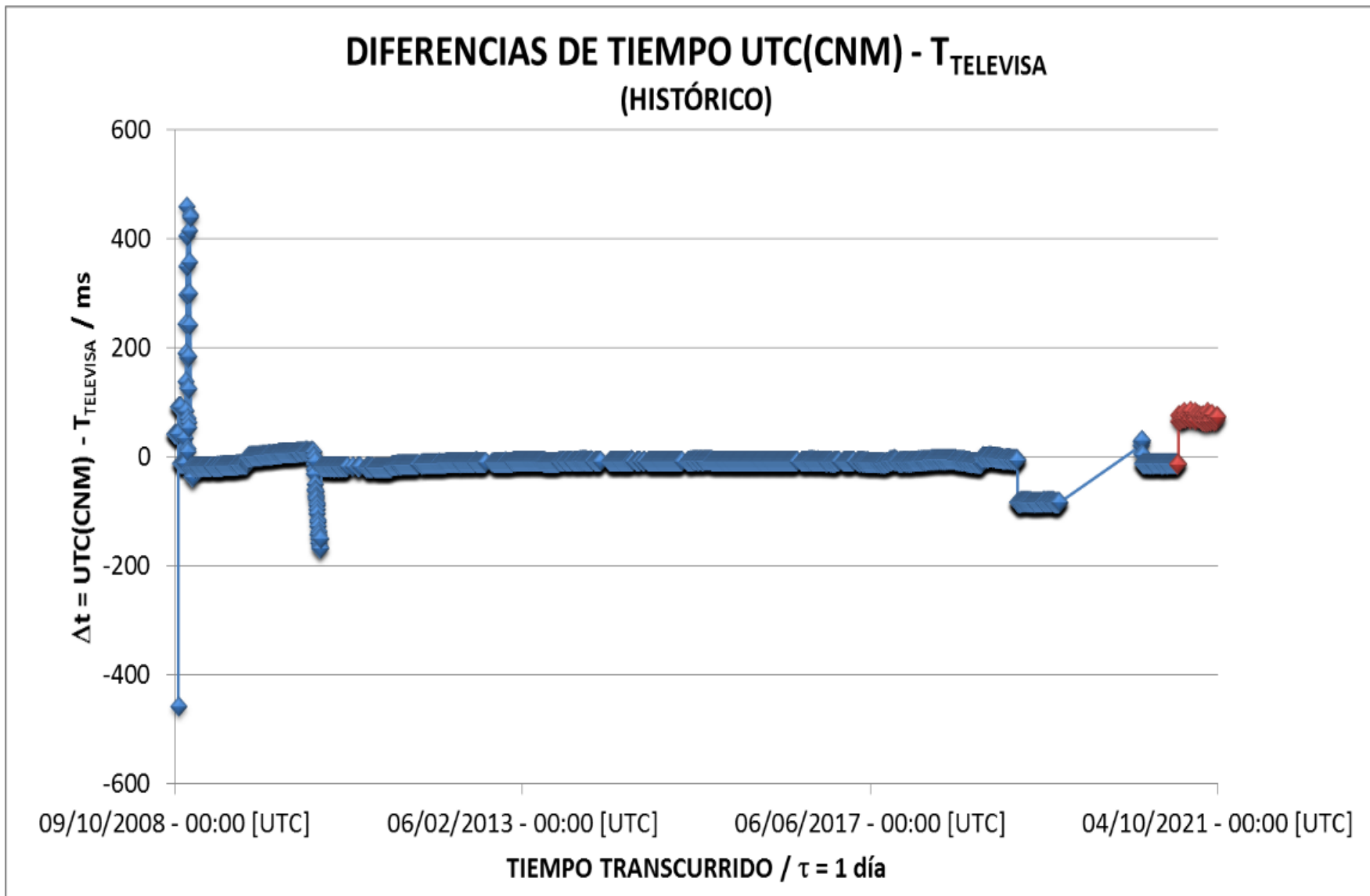
A vision for the future – a network of integrated microgrids that can monitor and heal itself.



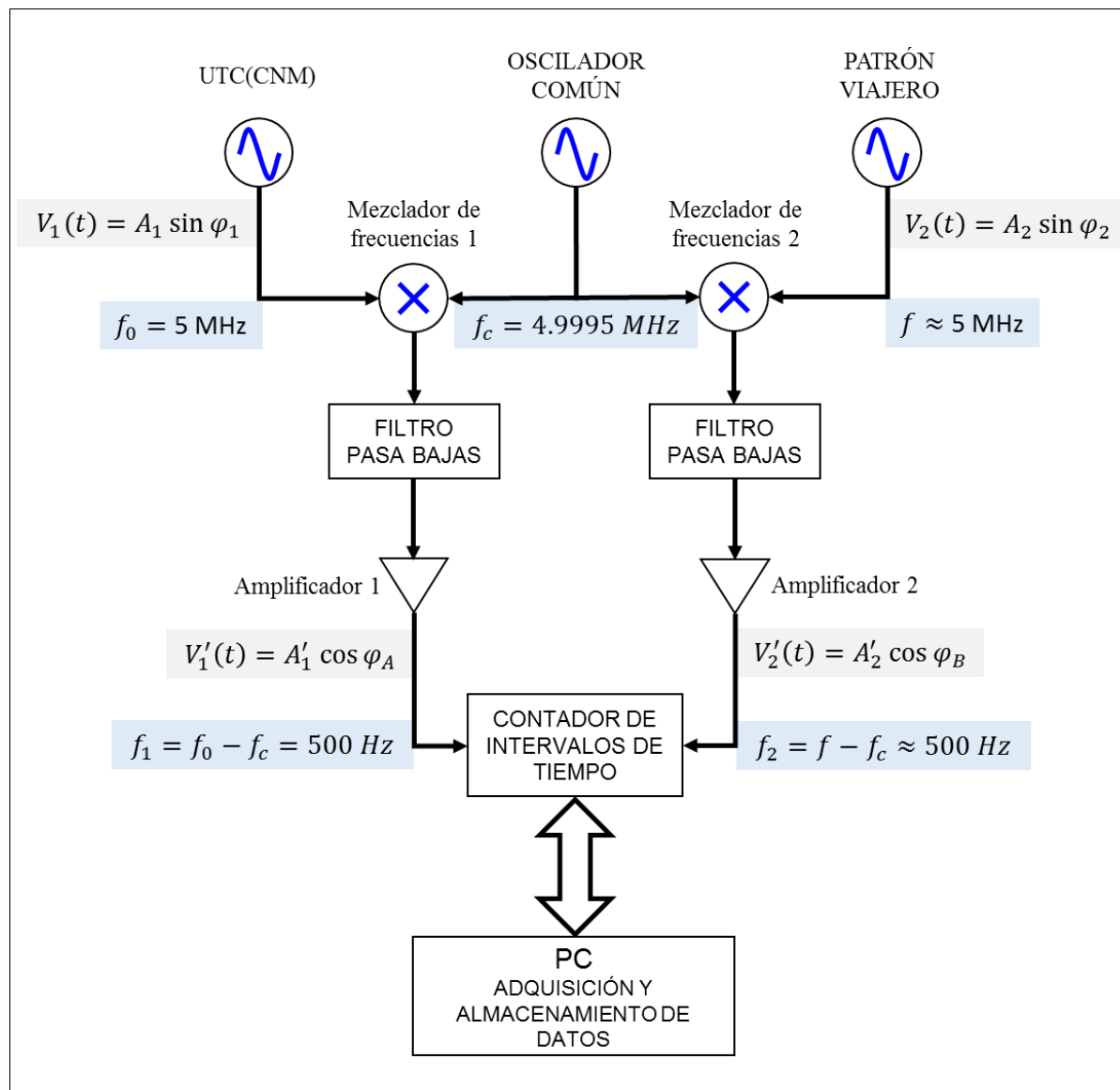
Time Calibration Example



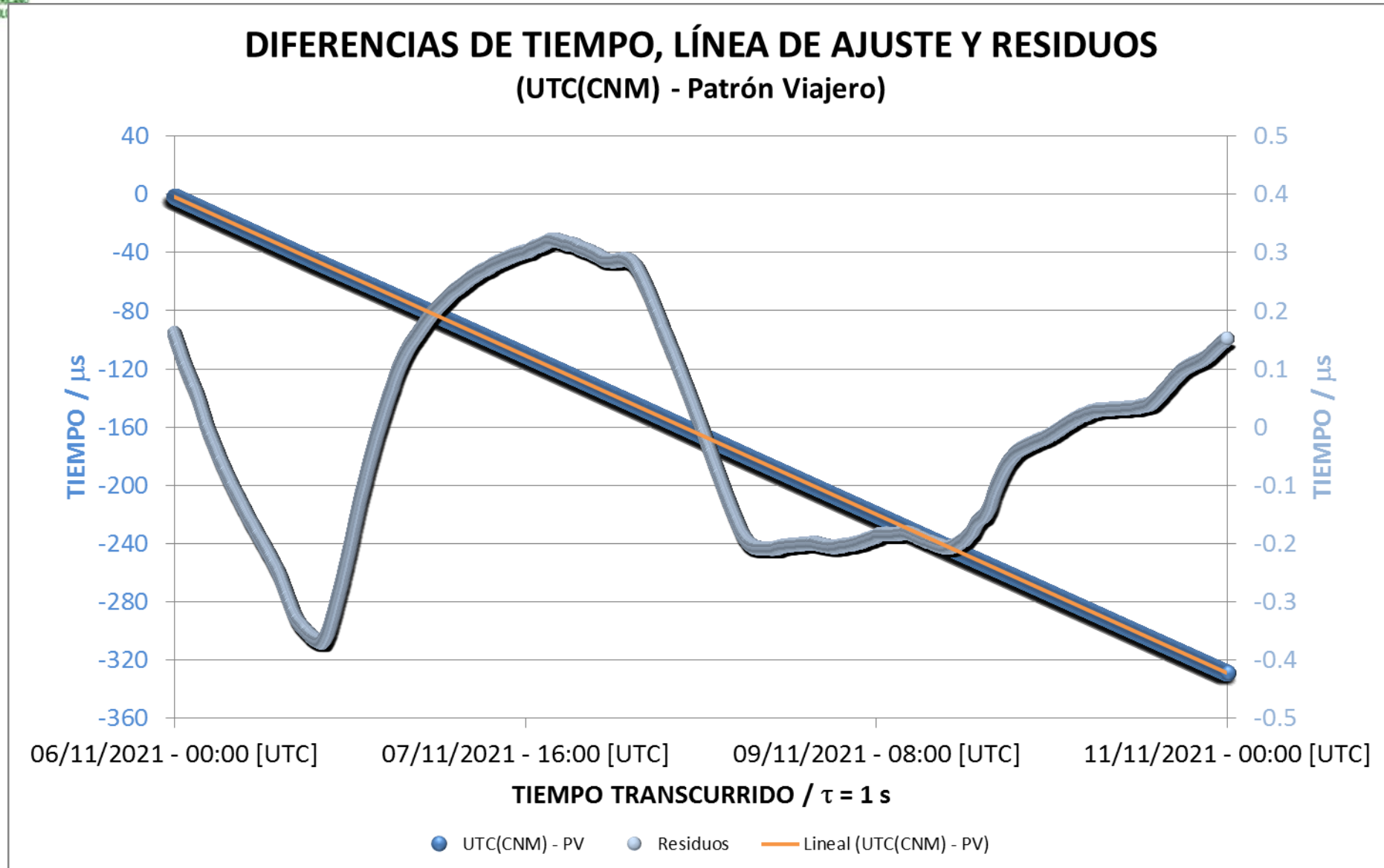
Time Calibration Example



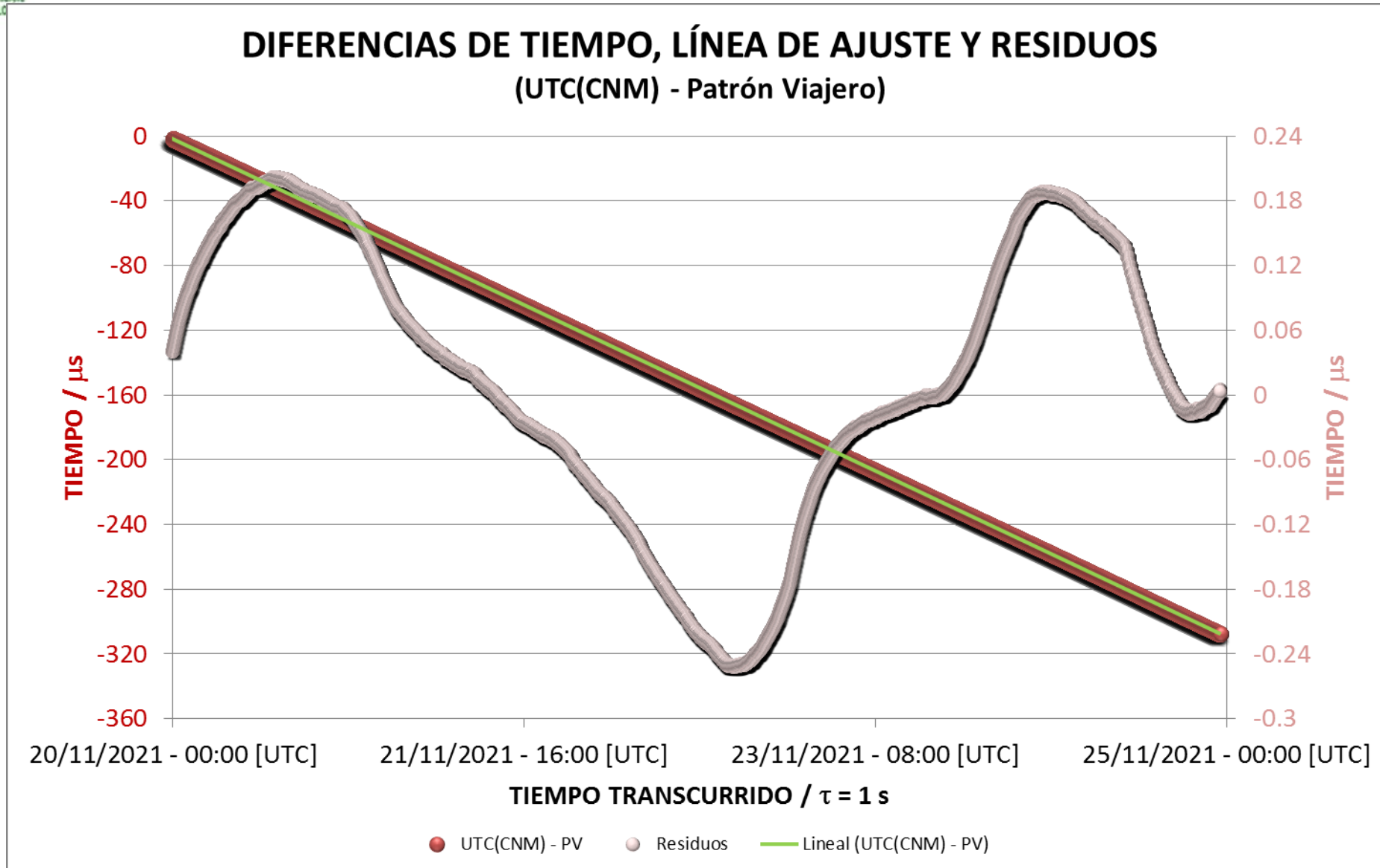
Time Difference Calibration Example



Time Difference Calibration Example



Time Difference Calibration Example



Time Difference Calibration Example

